



KING EDWARD VI
HANDSWORTH GRAMMAR
SCHOOL FOR BOYS



KING EDWARD VI
ACADEMY TRUST
BIRMINGHAM

Year 9

2024 Mathematics 2025

Unit 13 Booklet – Part 1

HGS Maths



Tasks



Dr Frost Course



Name: _____

Class: _____



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Name: _____

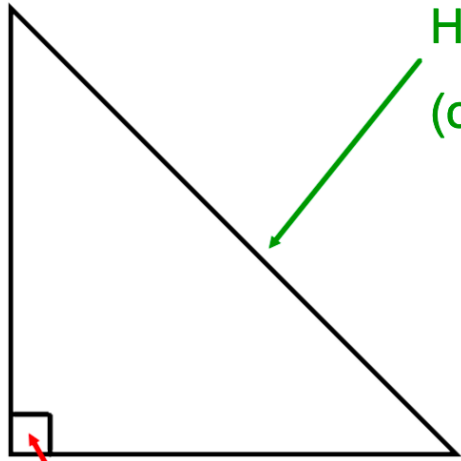
Class: _____

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1 2D Pythagoras' Theorem

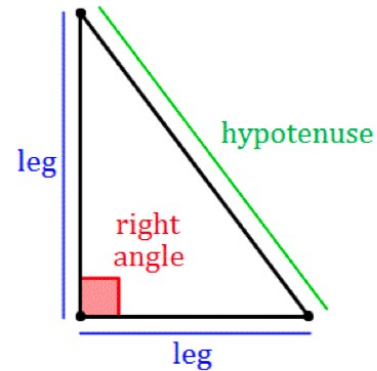
Hypotenuse



Hypotenuse
(opposite the right angle)

Right Angle
(90°)

From the Greek derived *hypo* meaning 'under' and *teinein* meaning 'to stretch'.

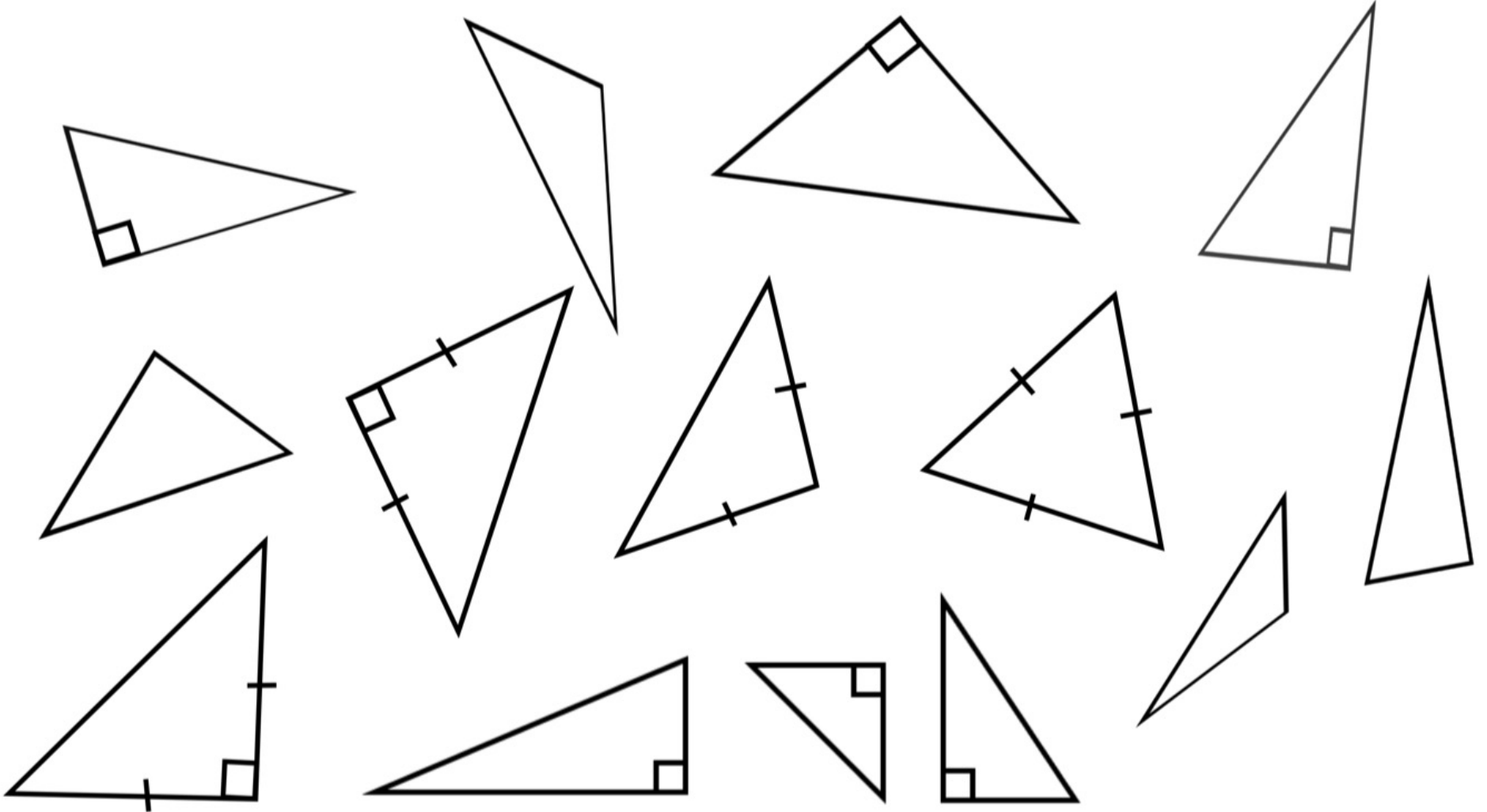


The two sides that aren't the hypotenuse are known as legs.

The hypotenuse is the side that stretches from one leg to another.

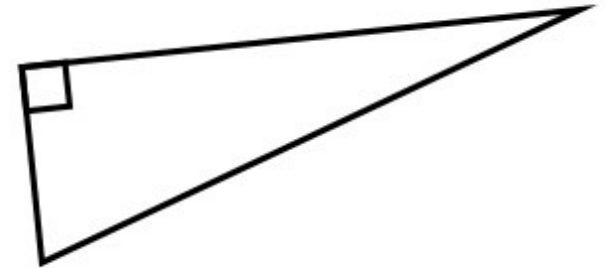
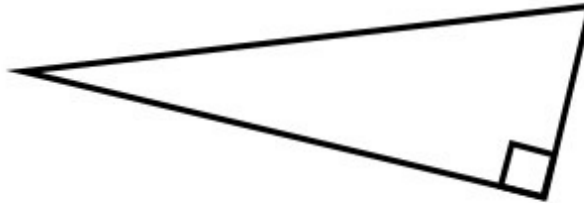
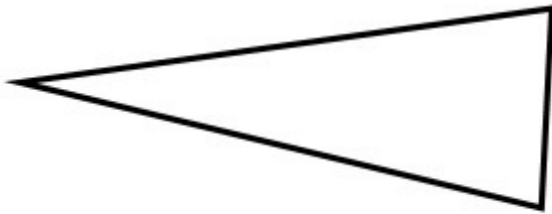
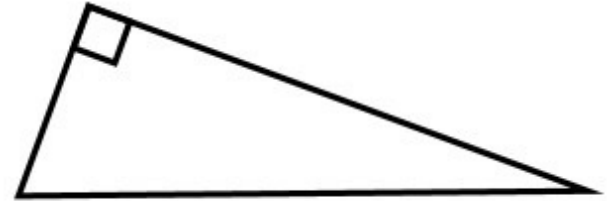
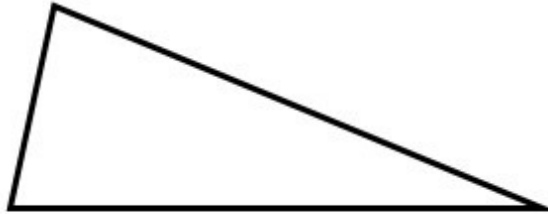
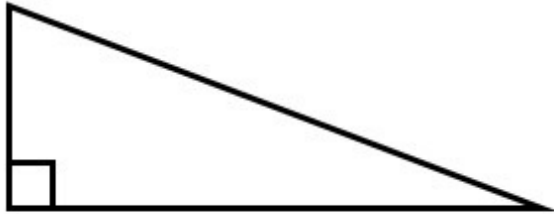
Fluency Practice

In each triangle that has a hypotenuse, label the hypotenuse with a letter C

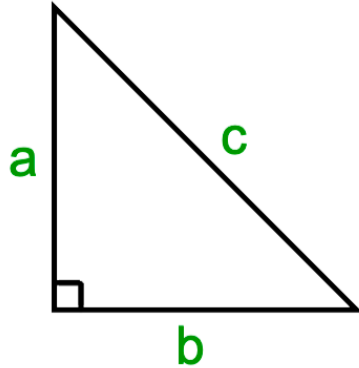


Fluency Practice

- Cross out all shapes which Pythagoras' Theorem won't apply to.
- In each remaining shape, label the hypotenuse c and the legs a and b .



Pythagoras' Theorem

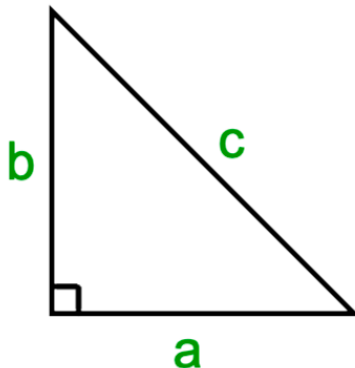


In any *right angled triangle*, the square of the hypotenuse is equal to the sum of the squares of the other two sides.

In other words:

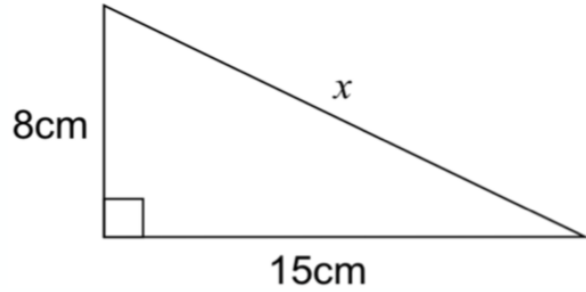
$$a^2 + b^2 = c^2$$

Note: a and b can be labelled in any order but c has to be the hypotenuse i.e the triangle could be labelled like this:



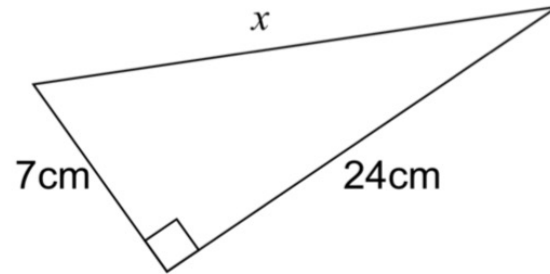
Worked Example

Calculate the unknown side in this triangle.



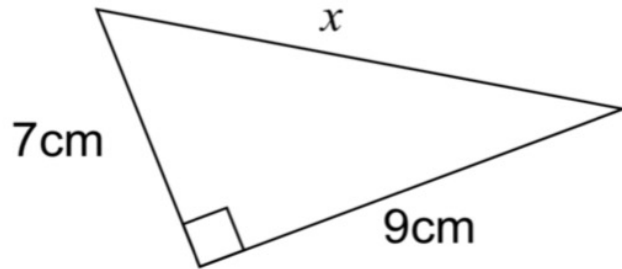
Your Turn

Calculate the unknown side in this triangle.



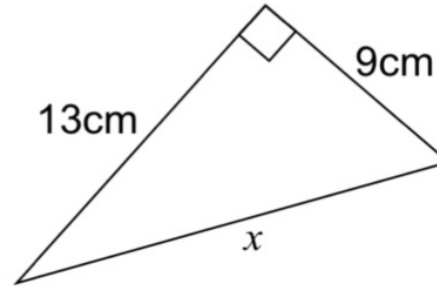
Worked Example

Calculate the unknown side in this triangle. Give your answer to 2 decimal places.



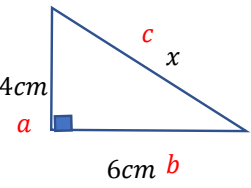
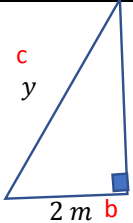
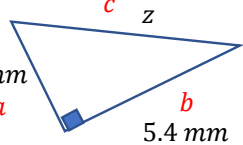
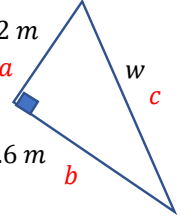
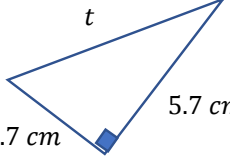
Your Turn

Calculate the unknown side in this triangle. Give your answer to 2 decimal places.

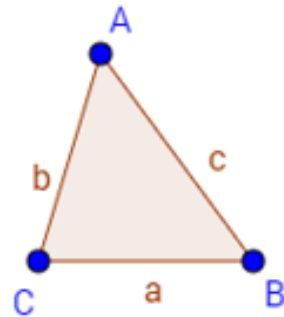


Fill in the Gaps

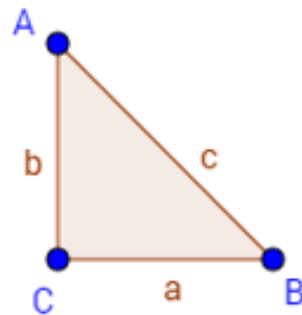
Finding Missing Lengths Part 1. Complete the examples in the table by finding the value of the hypotenuse. Round your answers to 1 decimal place.

<p>Question</p> <p>Label diagram</p>					
<p>Write down Pythagoras' Theorem</p>	$c^2 = a^2 + b^2$	$c^2 = a^2 + b^2$	$c^2 = a^2 + b^2$	$c^2 = a^2 + b^2$	
<p>Substitute in the values</p>	$x^2 = 4^2 + 6^2$	$y^2 = 7^2 + 2^2$	$z^2 = 6.5^2 + 5.4^2$		
<p>Evaluate the squares and add together</p>	$x^2 = 16 + 36$ $x^2 = 52$	$y^2 = 49 + 4$ $y^2 = 53$	$z^2 = 42.25 + 29.16$ $z^2 = 71.41$		
<p>Square root to solve the equation</p>	$x = \sqrt{52}$	$y = \sqrt{53}$			
<p>Round your answer (where appropriate) and give units</p>	$x = 7.2 \text{ cm (1dp)}$				

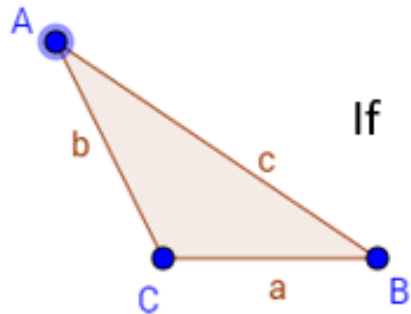
Converse of Pythagoras' Theorem



If $c^2 < a^2 + b^2$ then ABC is an acute triangle



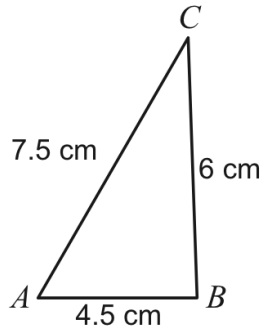
If $c^2 = a^2 + b^2$ then ABC is right triangle



If $c^2 > a^2 + b^2$ then ABC is an obtuse triangle

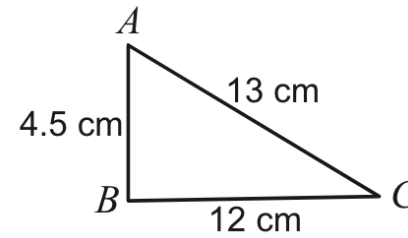
Worked Example

Determine whether the triangle below is right-angled.



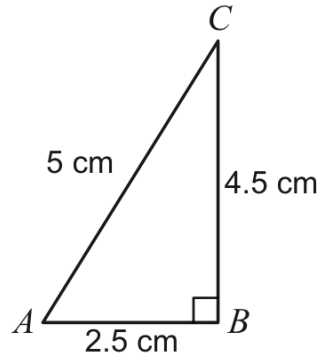
Your Turn

Determine whether the triangle below is right-angled.



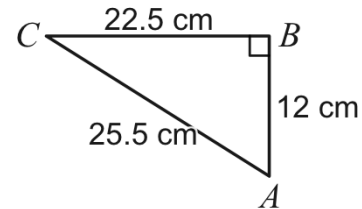
Worked Example

Determine whether it is possible to construct the triangle with the lengths and angles given in the diagram below.



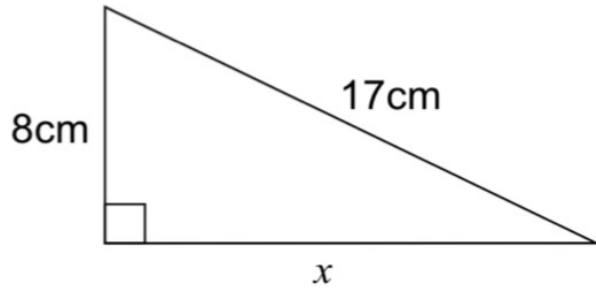
Your Turn

Determine whether it is possible to construct the triangle with the lengths and angles given in the diagram below.



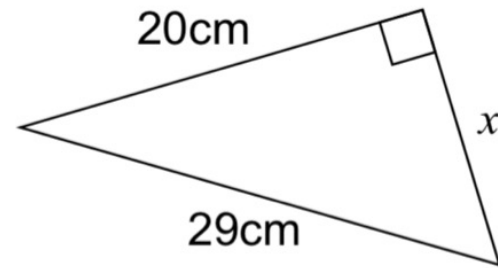
Worked Example

Calculate the unknown side in this triangle.



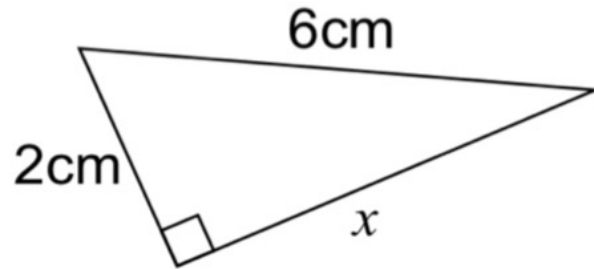
Your Turn

Calculate the unknown side in this triangle.



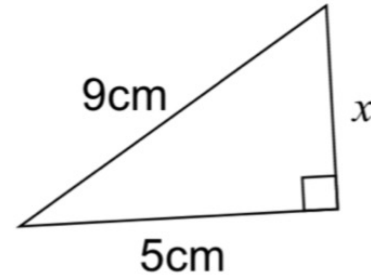
Worked Example

Calculate the unknown side in this triangle. Give your answer to 2 decimal places.



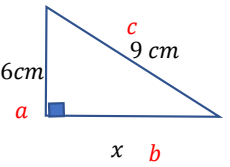
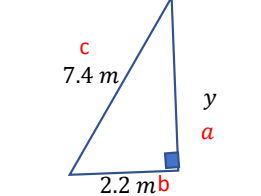
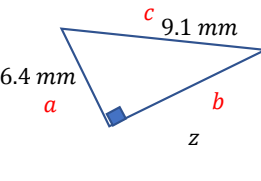
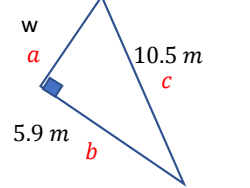
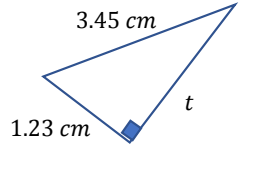
Your Turn

Calculate the unknown side in this triangle. Give your answer to 2 decimal places.



Faded

Finding Missing Lengths Part 2. Complete the examples in the table by finding the value of the leg. Round your answers to 1 decimal place.

<p>Question</p> <p>Label diagram</p>					
<p>Write down Pythagoras' Theorem</p>	$c^2 = a^2 + b^2$	$c^2 = a^2 + b^2$	$c^2 = a^2 + b^2$	$c^2 = a^2 + b^2$	
<p>Substitute in the values</p>	$9^2 = 6^2 + x^2$	$7.4^2 = y^2 + 2.2^2$	$9.1^2 = 6.4^2 + z^2$		
<p>Evaluate the squares and rearrange the equation to get the unknown square on its own.</p>	$81 = 36 + x^2$ $\begin{array}{r} -36 \\ 45 = x^2 \end{array}$ $x^2 = 45$	$54.76 = y^2 + 4.84$ $\begin{array}{r} -4.84 \\ 49.92 = y^2 \end{array}$ $y^2 = 49.92$	$82.81 = 40.96 + z^2$ $\begin{array}{r} -40.96 \\ 41.85 = z^2 \end{array}$ $z^2 = 41.85$		
<p>Square root to solve the equation</p>	$x = \sqrt{45}$	$y = \sqrt{49.92}$			
<p>Round your answer (where appropriate) and give units</p>	$x = 6.7 \text{ cm (1dp)}$				

Worked Example

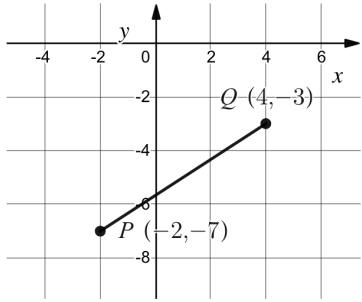
From point A , Tim walks 100 m due west to point B . From B , they then walks x m due north to point C . Tim is now 180 m from point A . Find the value of x . Round your answer to 1 decimal place.

Your Turn

From point A , Fatima walks 90 m due east to point B . From B , she then walks x m due north to point C . Fatima is now 280 m from point A . Find the value of x . Round your answer to 1 decimal place.

Worked Example

The line segment that connects $P(-2, -7)$ and $Q(4, -3)$ is drawn on the coordinate grid.

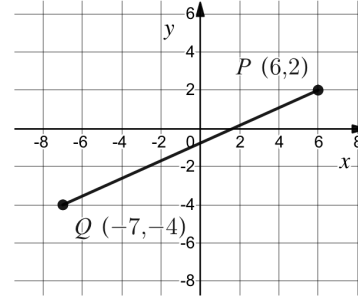


Determine the length PQ .

Give your answer correct to 1 decimal place.

Your Turn

The line segment that connects $P(6, 2)$ and $Q(-7, -4)$ is drawn on the coordinate grid.



Determine the length PQ .

Give your answer correct to 1 decimal place.

Worked Example

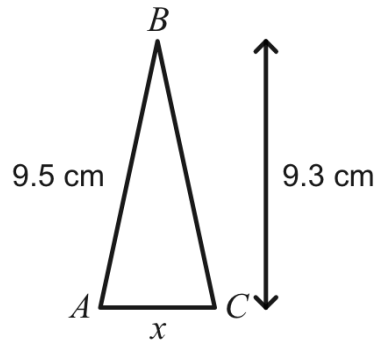
The line segment connects $P(-6, -4)$ and $Q(-3, 3)$
Determine the length PQ .
Give your answer correct to 1 decimal place.

Your Turn

The line segment connects $P(-6, -1)$ and $Q(-2, 6)$
Determine the length PQ .
Give your answer correct to 1 decimal place.

Worked Example

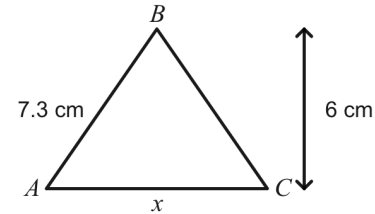
ABC is an isosceles triangle where $AB = BC$.



Find the length marked x on the diagram.
Give your answer to correct to 1 decimal place.

Your Turn

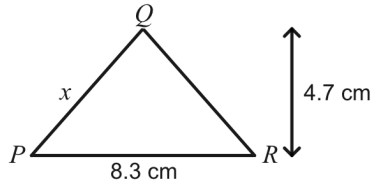
ABC is an isosceles triangle where $AB = BC$.



Calculate the length marked x on the diagram.
Give your answer to correct to 1 decimal place.

Worked Example

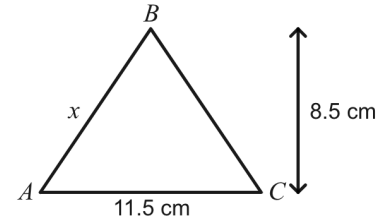
PQR is an isosceles triangle where $PQ = QR$.



Find the length marked x on the diagram.
Give your answer correct to 1 decimal place.

Your Turn

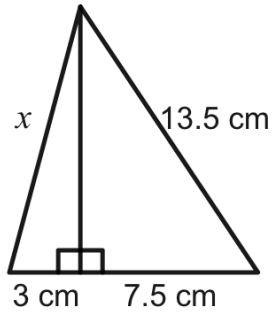
ABC is an isosceles triangle where $AB = BC$.



Work out the length marked x on the diagram.
Give your answer correct to 1 decimal place.

Worked Example

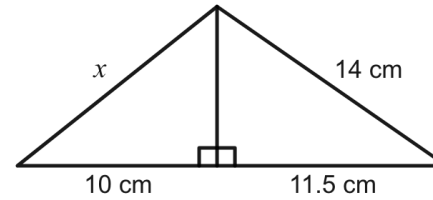
Work out the value of x .



Give your answer correct to 1 decimal place.

Your Turn

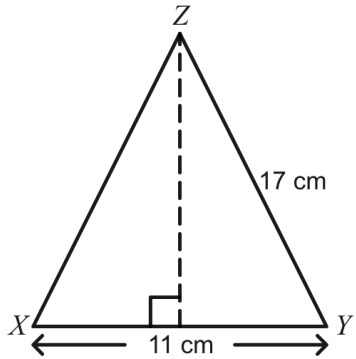
Work out the value of x .



Give your answer correct to 1 decimal place.

Worked Example

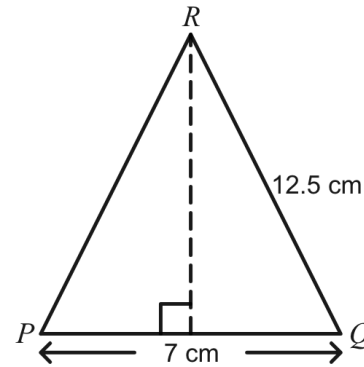
The diagram below shows the isosceles triangle XYZ .



Find the area of triangle XYZ .
Give your answer to 1 decimal place.

Your Turn

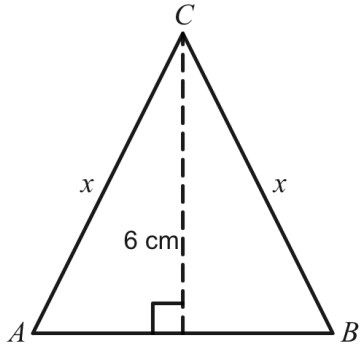
The diagram below shows the isosceles triangle PQR .



Find the area of triangle PQR .

Worked Example

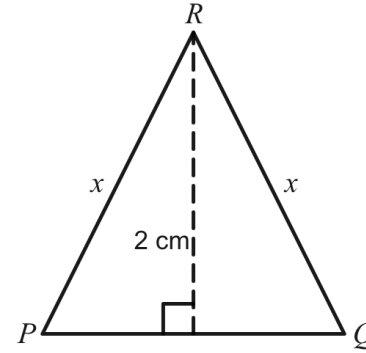
The diagram below shows the isosceles triangle ABC .



The area of triangle ABC is 15 cm^2
Find the length marked x in the diagram.

Your Turn

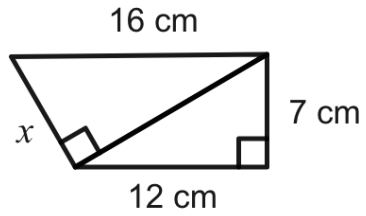
The diagram below shows the isosceles triangle PQR .



The area of triangle PQR is 3 cm^2
Find the length marked x in the diagram.

Worked Example

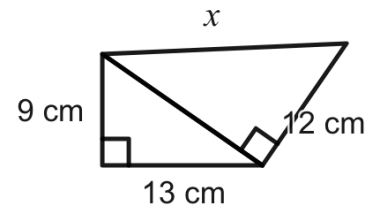
Find the value of x .



Give your answer correct to 1 decimal place.

Your Turn

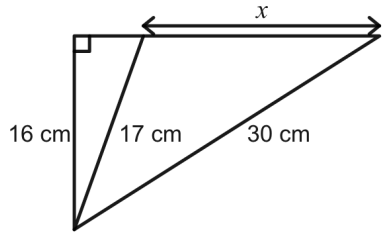
Calculate the value of x .



Give your answer correct to 1 decimal place.

Worked Example

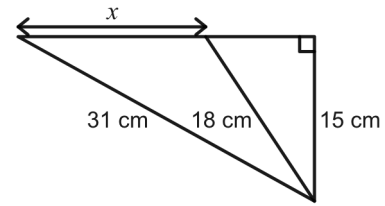
Find the value of x .



Give your answer correct to 1 decimal place.

Your Turn

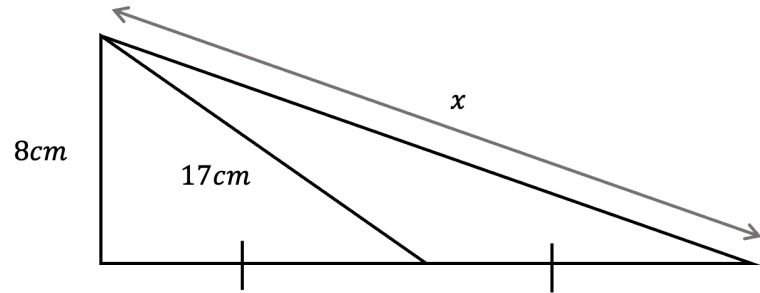
Find the value of x .



Give your answer correct to 1 decimal place.

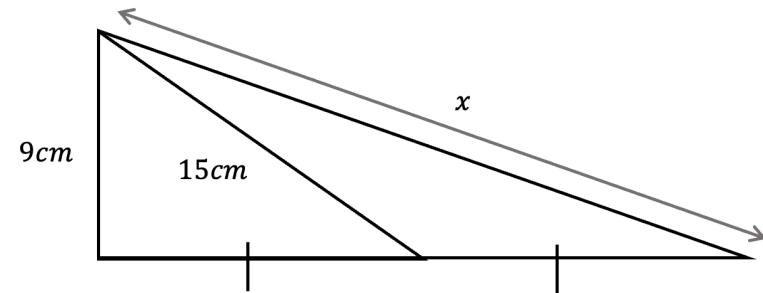
Worked Example

Find the value of x to 2dp.



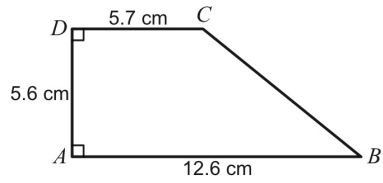
Your Turn

Find the value of x to 2dp.



Worked Example

The diagram shows a trapezium $ABCD$.

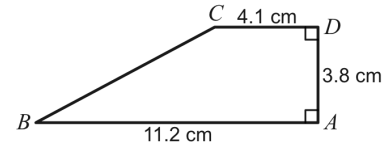


Find the length BC .

Give your answer to 2 decimal places.

Your Turn

The diagram shows a trapezium $ABCD$.

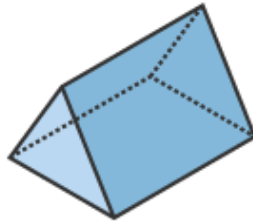
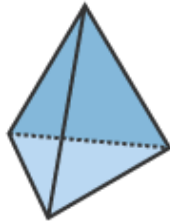
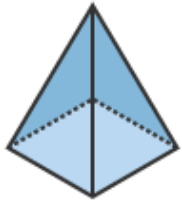
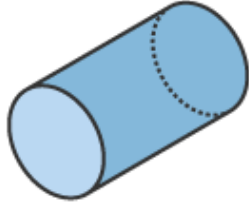
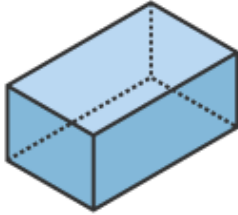
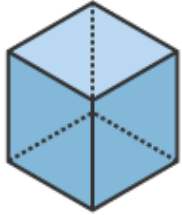


Find the length BC .

Give your answer to 2 decimal places.

Extra Notes

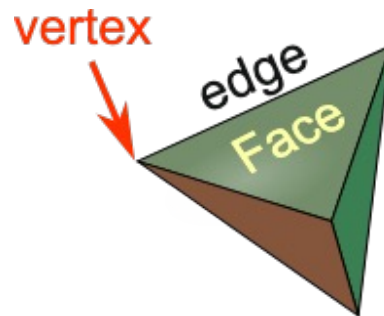
2 Properties of 3D Shapes



A **vertex** is a corner.

An **edge** is a line segment between faces.

A **face** is a single flat surface.



Worked Example

For the cuboid, write down the:



Number of faces (F)

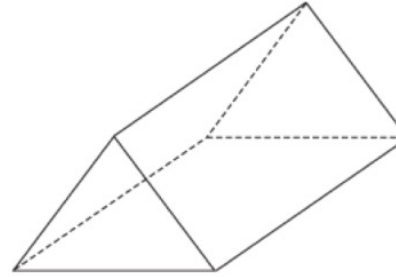
The number of edges (E)

The number of vertices (V)

Calculate $V - E + F$

Your Turn

For the triangular prism, write down the:



Number of faces (F)

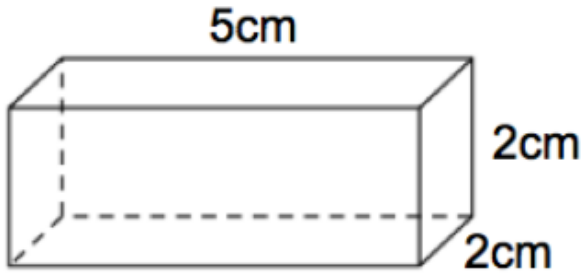
The number of edges (E)

The number of vertices (V)

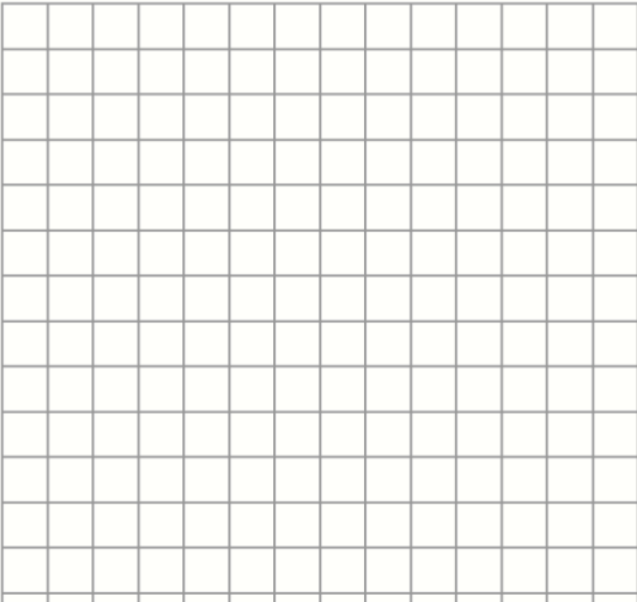
Calculate $V - E + F$

Worked Example

Draw a net for the cuboid.

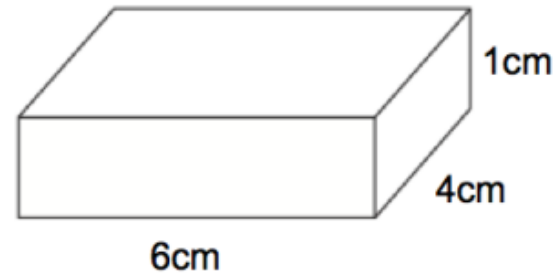


Each square represents 1 cm^2

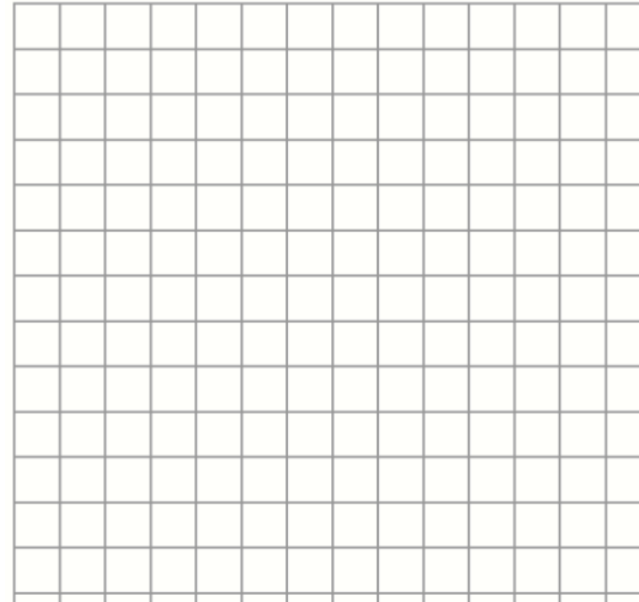


Your Turn

Draw a net for the cuboid.

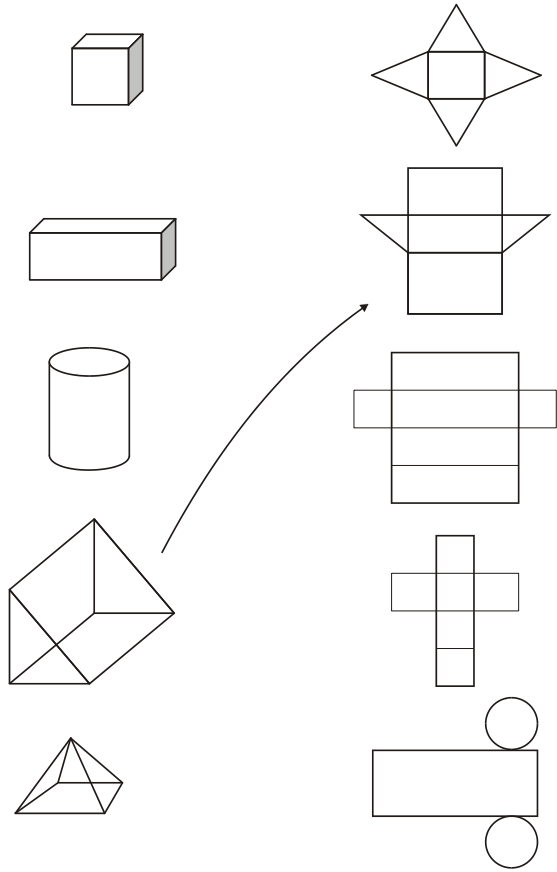


Each square represents 1 cm^2

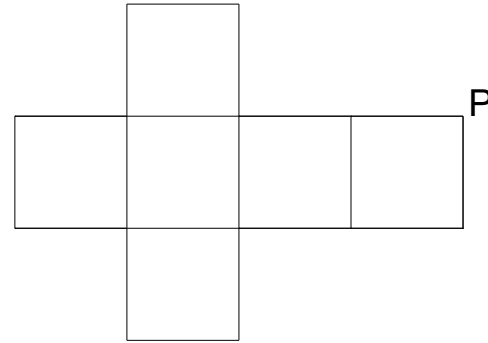


Fluency Practice

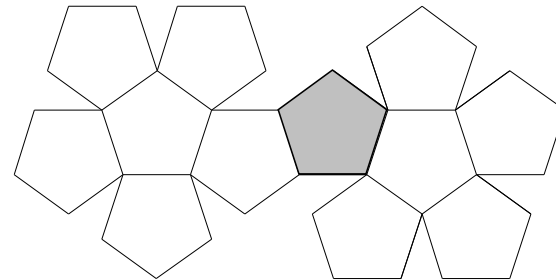
1. Match the 3D solids with their net



2. The net is folded to make a cube.
Two other vertices meet at *P*.
Mark each of these vertices with the letter *P*.

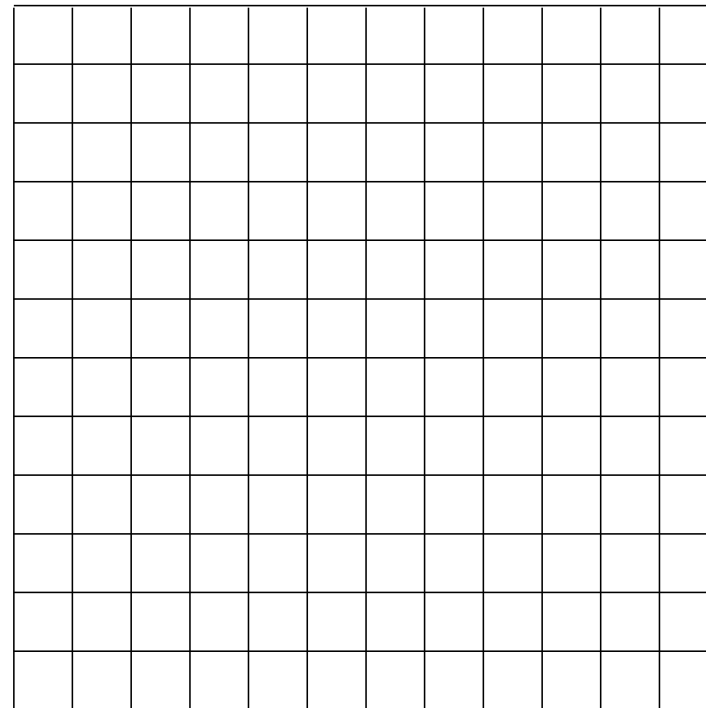
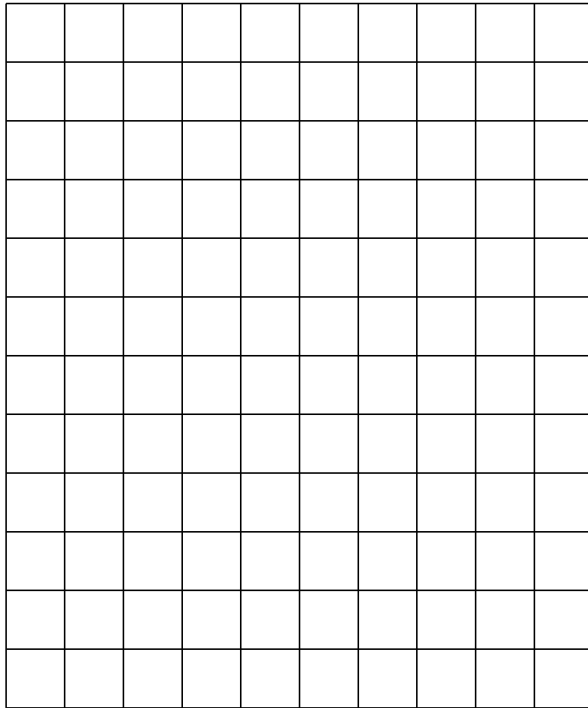
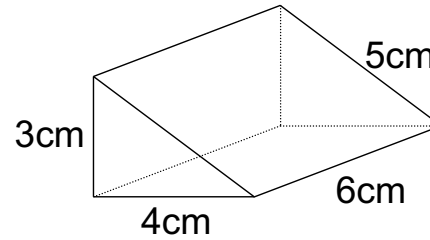
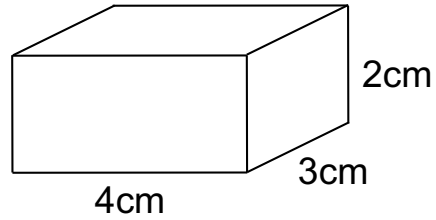


3. The net shown is folded to make a dodecahedron. Label the face which is opposite the shaded one



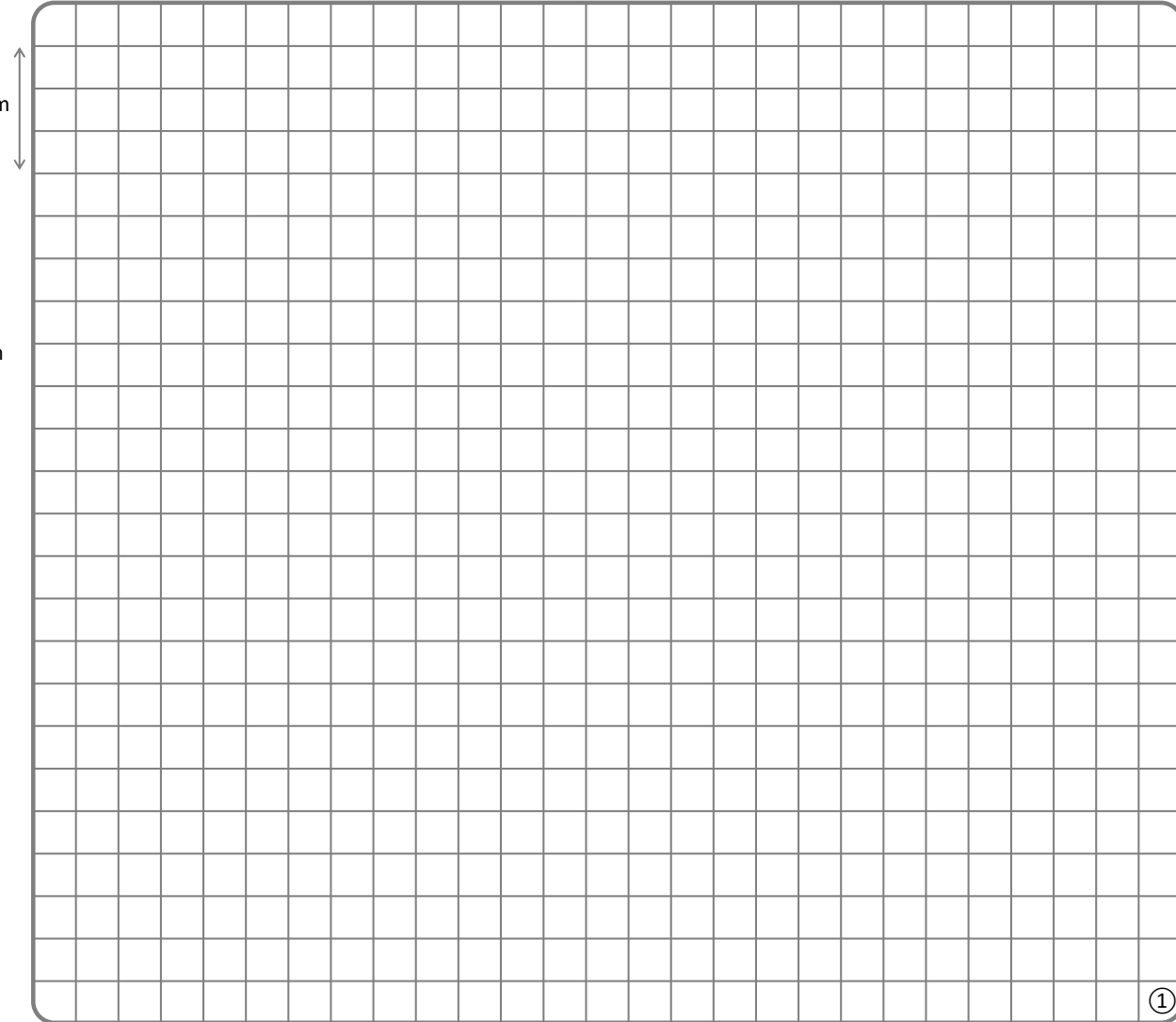
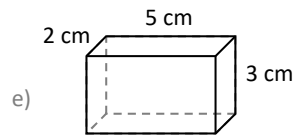
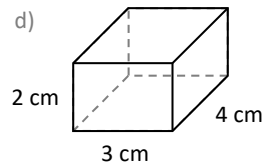
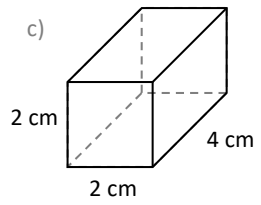
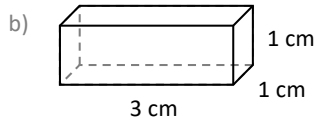
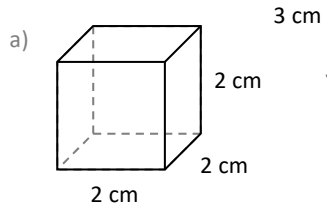
Fluency Practice

4. Using the grid provided with 1 square = 1 cm, draw an accurate net of these solids



Fluency Practice

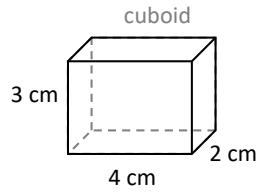
On the scale grid draw the **NET** for each cuboid.



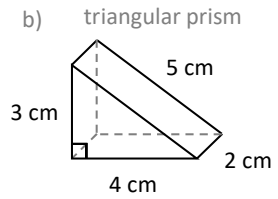
Fluency Practice

On the scale grid draw the **NET** for each 3D shape.

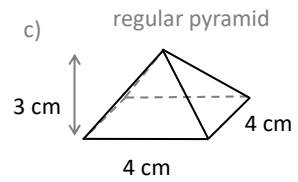
a)



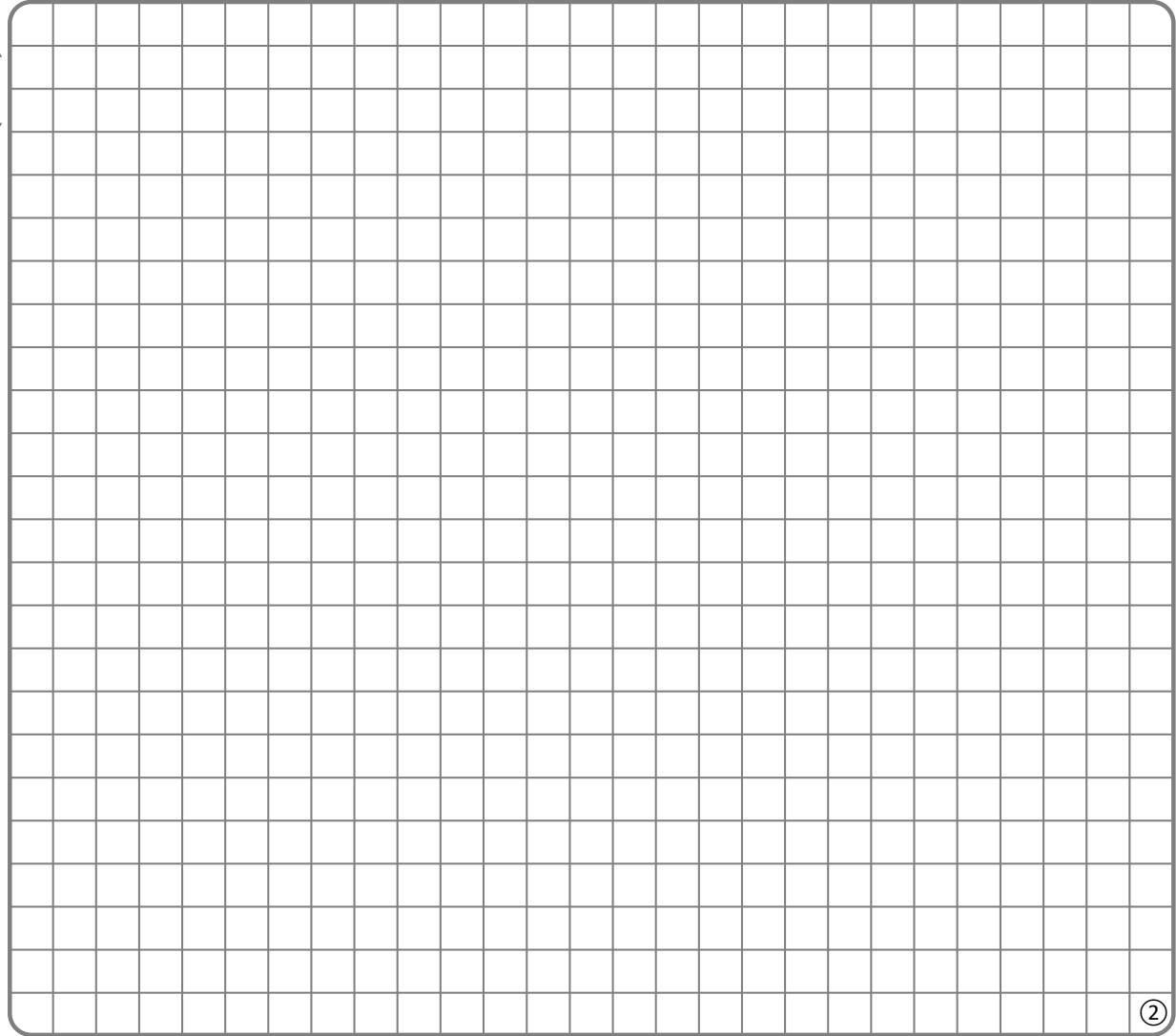
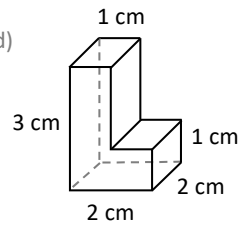
b)



c)



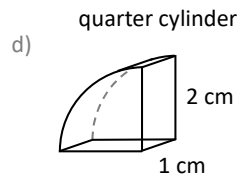
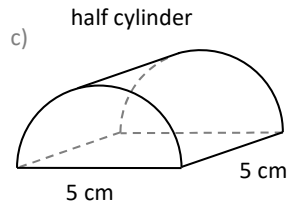
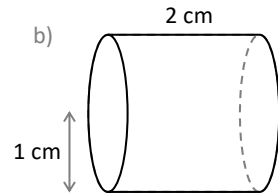
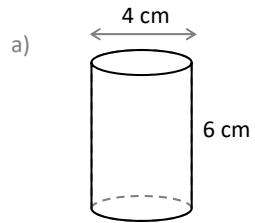
d)



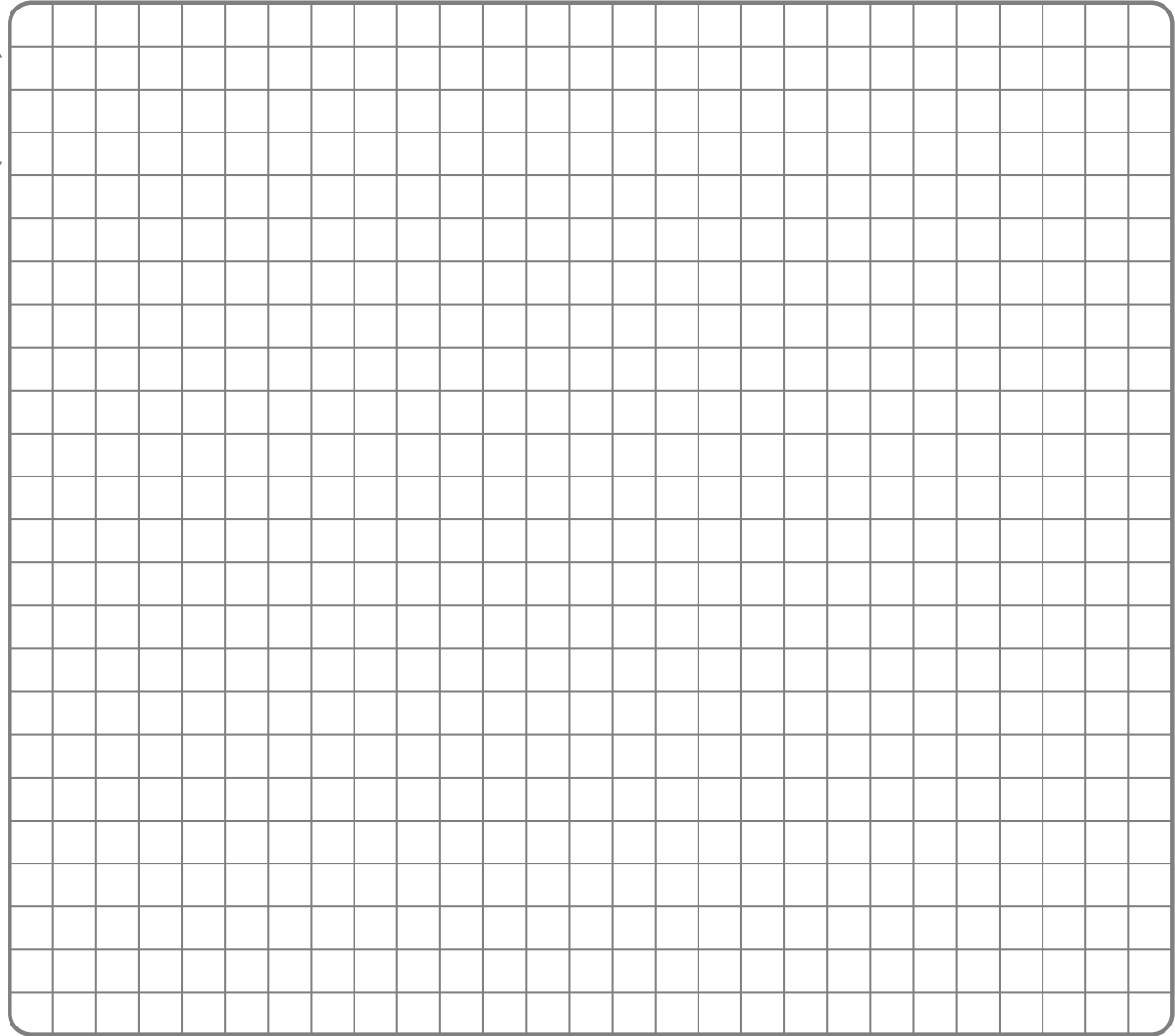
Fluency Practice

On the scale grid draw the **NET** for each type of cylinder.

Label the lengths of each rectangle.

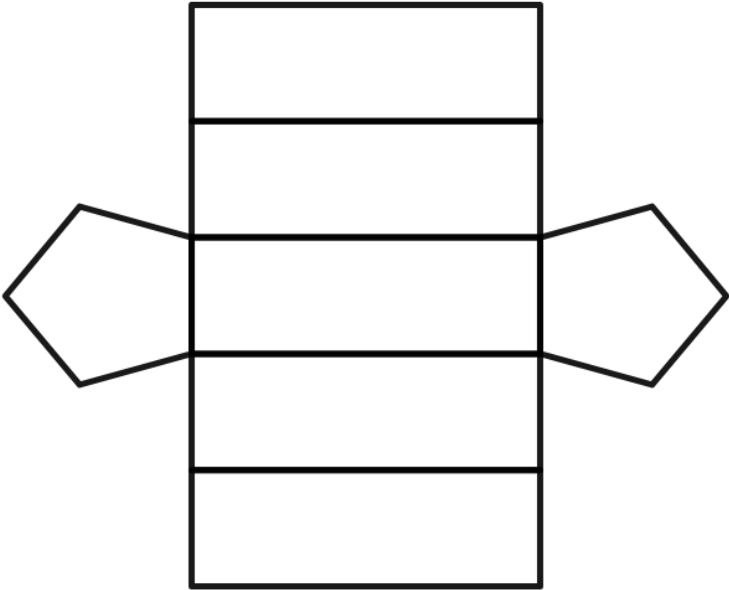


3 cm



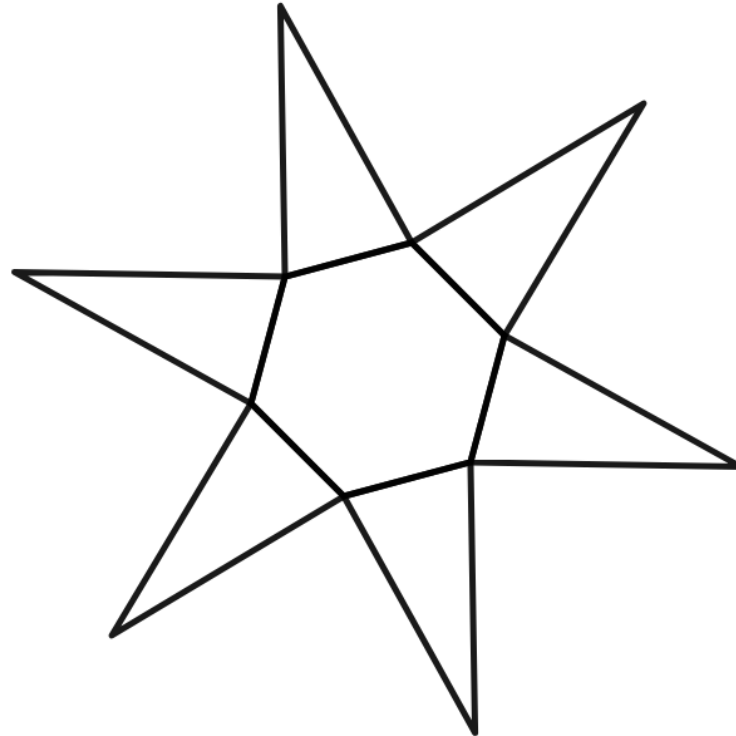
Worked Example

How many edges does this shape have?



Your Turn

How many edges does this shape have?



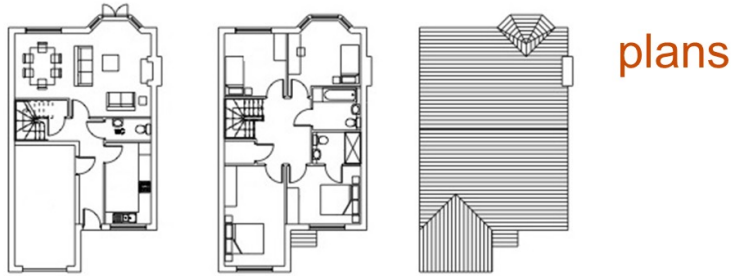
Extra Notes

3 Plans and Elevations

The **plan** is the view from the top of a 3D solid.

Elevations are horizontal views of a 3D object:

- **Front elevation:** The view from the front of an object.
- **Back elevation:** The view from behind the object.
- **Side elevation:** The view from the side of an object.



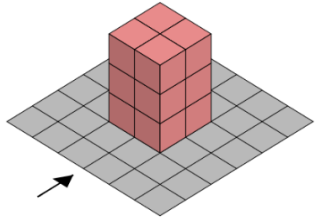
front
elevation

side
elevation

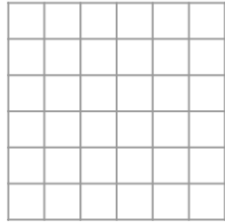
back
elevation

side
elevation

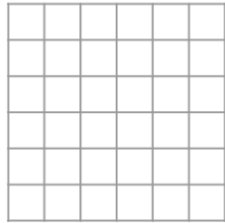
Worked Example



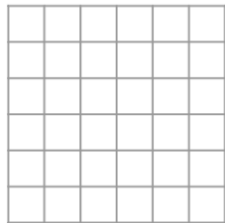
Plan:



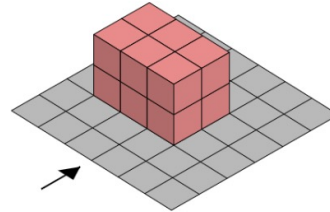
Front (with arrow):



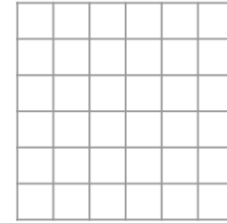
Side (from right):



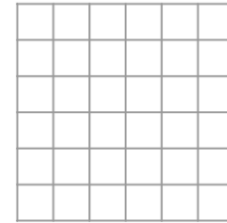
Your Turn



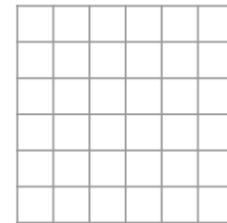
Plan:



Front (with arrow):

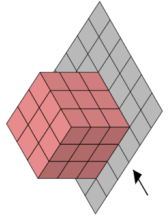
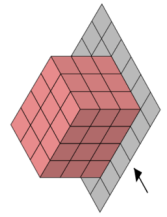
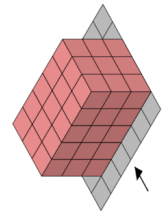
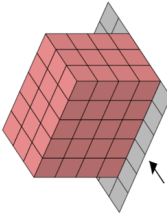
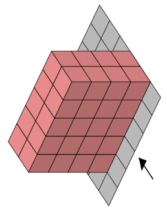
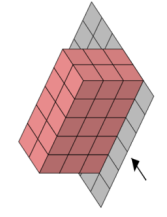


Side (from right):



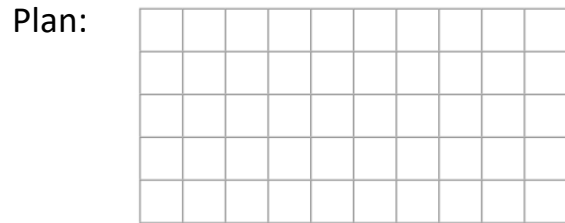
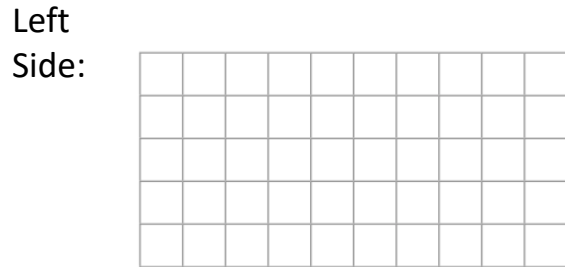
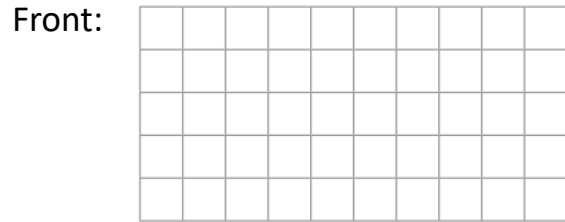
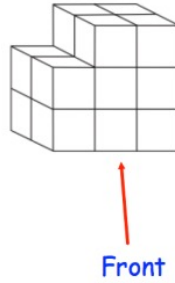
Fluency Practice

1 For each of the shapes below, draw the plan view, front view (shown with the arrow) and side view (from the right).

	Plan View	Front View	Side View
 a			
 b			
 c			
 d			
 e			
 f			

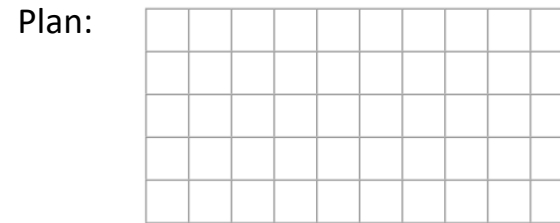
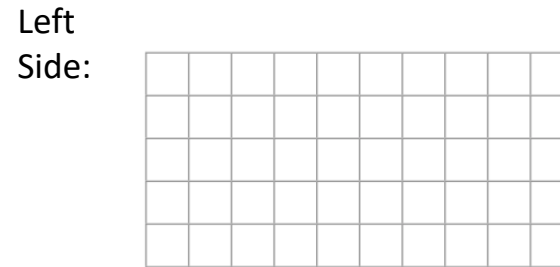
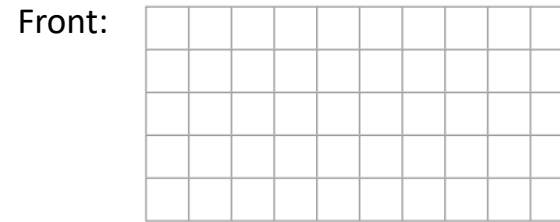
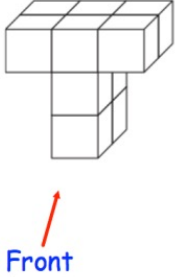
Worked Example

A shape is made of centimetre cubes. On the centimetre square grid, draw the elevations:



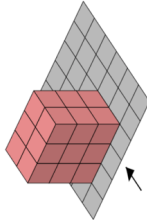
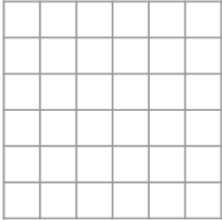
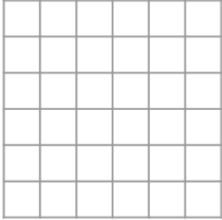
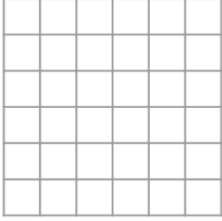
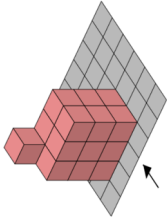
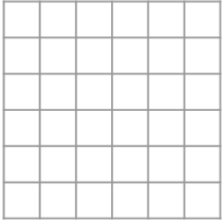
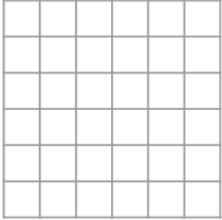
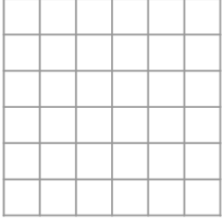
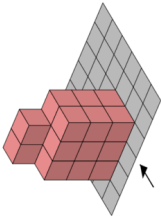
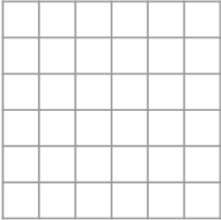
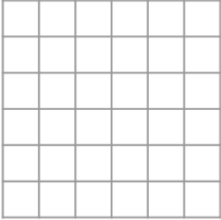
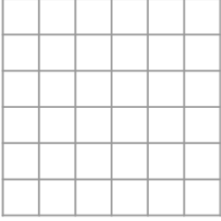
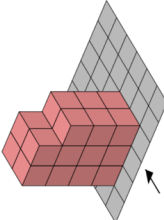
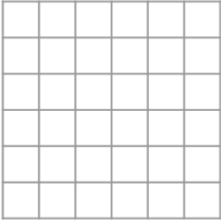
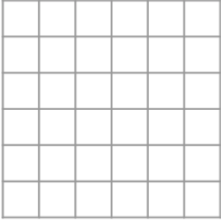
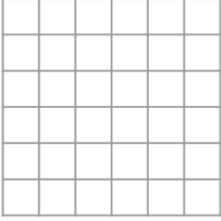
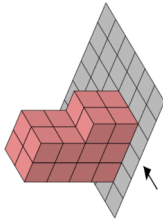
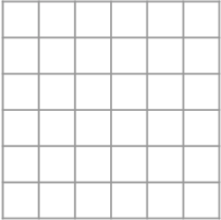
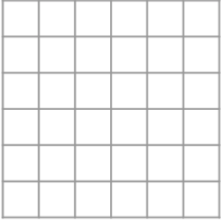
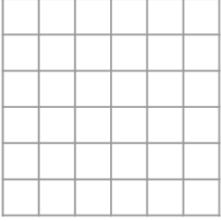
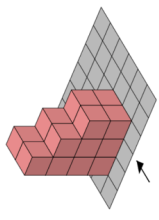
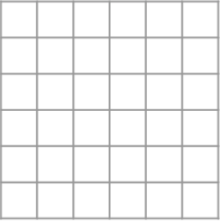
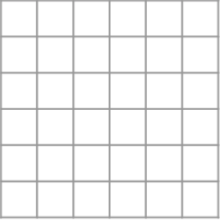
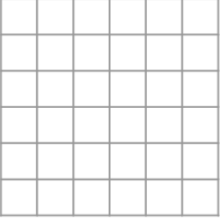
Your Turn

A shape is made of centimetre cubes. On the centimetre square grid, draw the elevations:

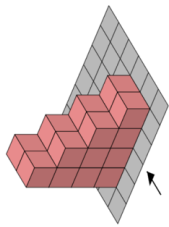
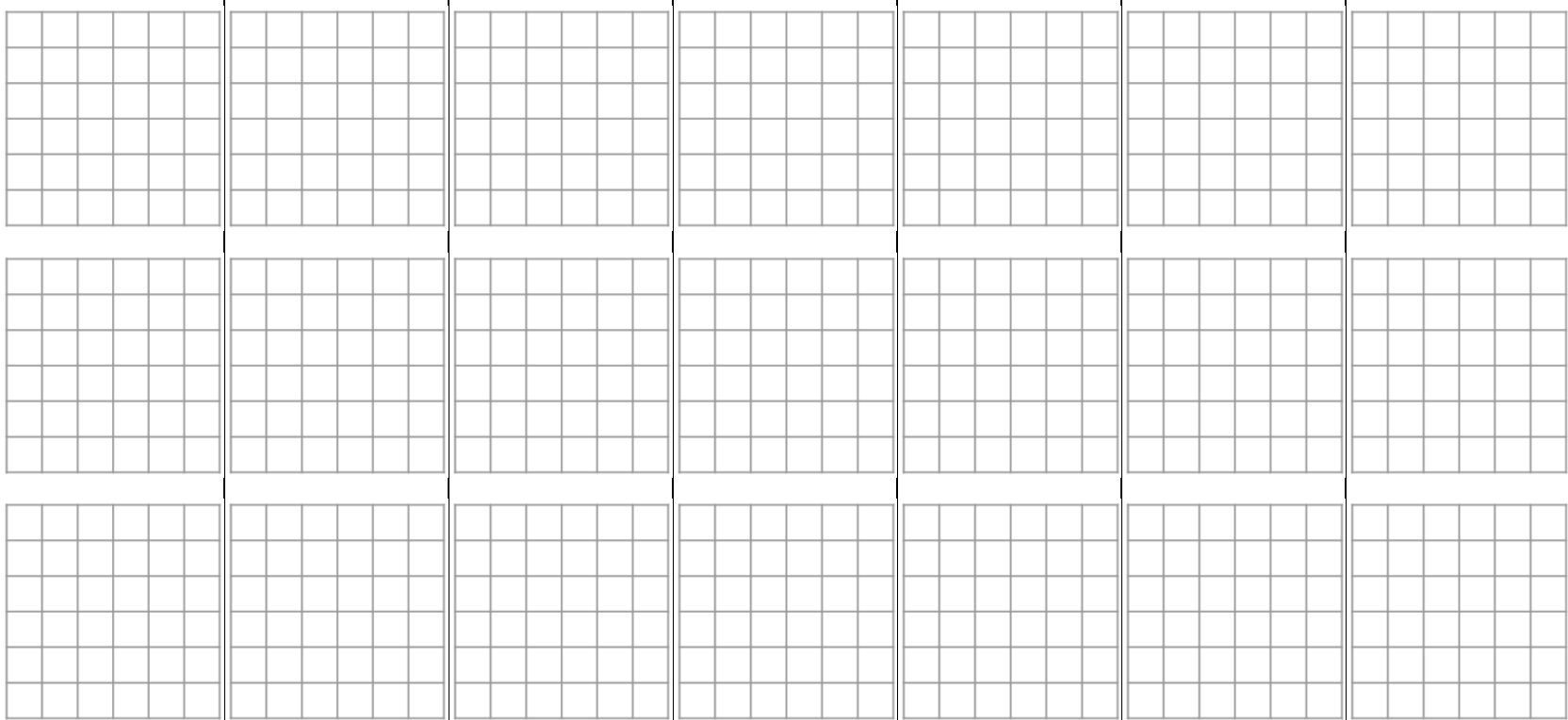


Fluency Practice

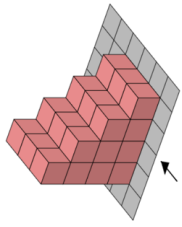
1 For each of the shapes below, draw the plan view, front view (shown with the arrow) and side view (from the right).

	Plan View	Front View	Side View
 a			
 b			
 c			
 d			
 e			
 f			

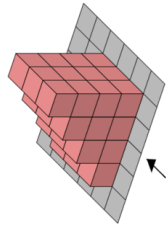
Fluency Practice



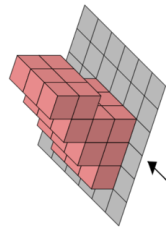
9



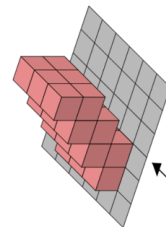
h



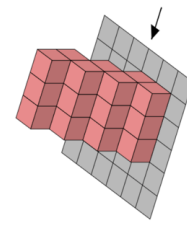
i



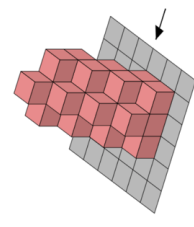
j



k



l



m

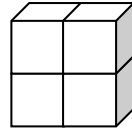
Fluency Practice

4 Cubes

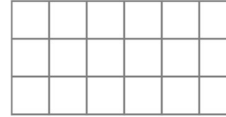
4 cubes can be arranged in 8 different ways.

Draw the plan, the front elevation and the side elevation for each arrangement.

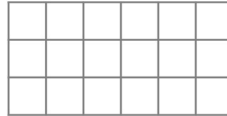
Why are there only 8 arrangements?



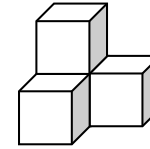
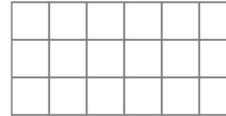
Plan



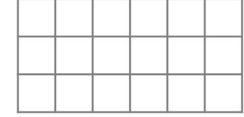
Front Elevation



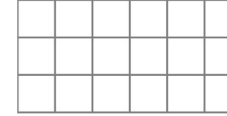
Side Elevation



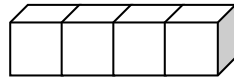
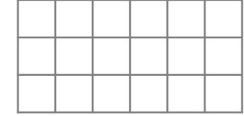
Plan



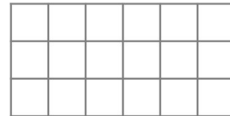
Front Elevation



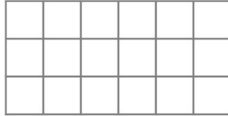
Side Elevation



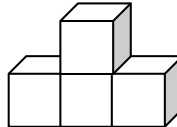
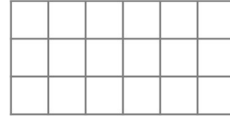
Plan



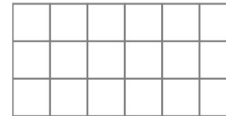
Front Elevation



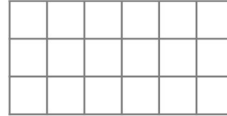
Side Elevation



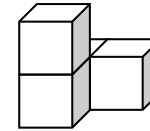
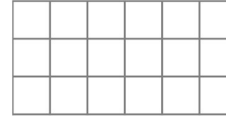
Plan



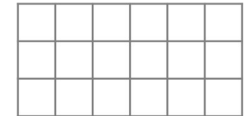
Front Elevation



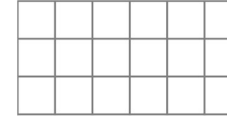
Side Elevation



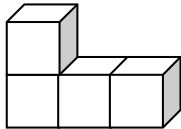
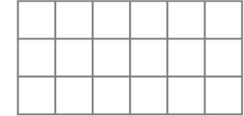
Plan



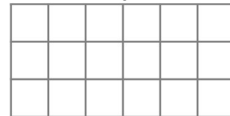
Front Elevation



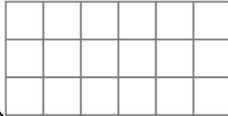
Side Elevation



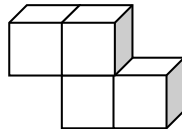
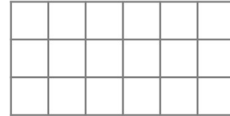
Plan



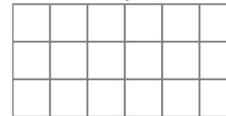
Front Elevation



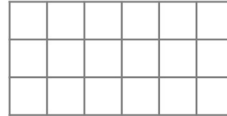
Side Elevation



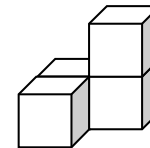
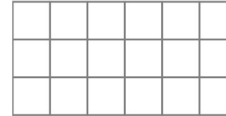
Plan



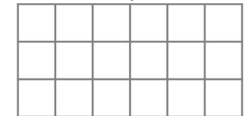
Front Elevation



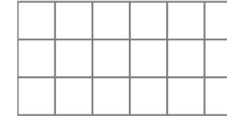
Side Elevation



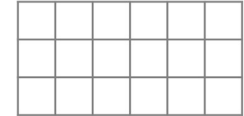
Plan



Front Elevation



Side Elevation

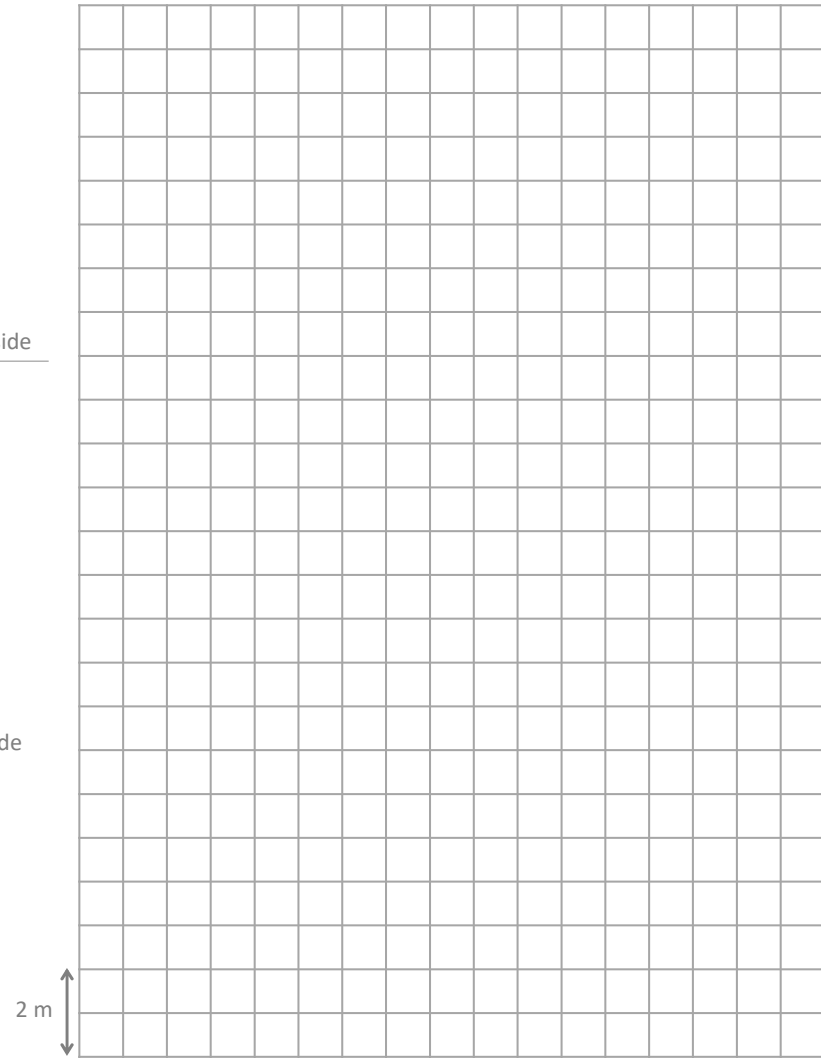
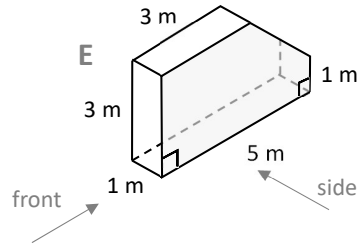
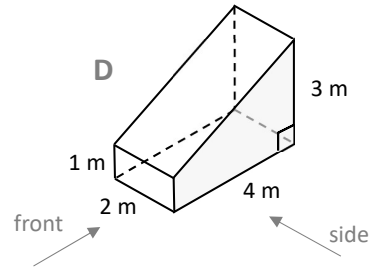
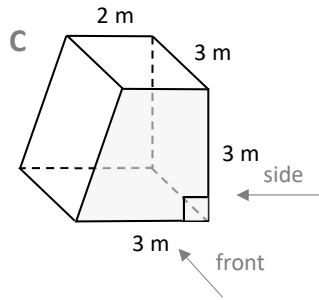
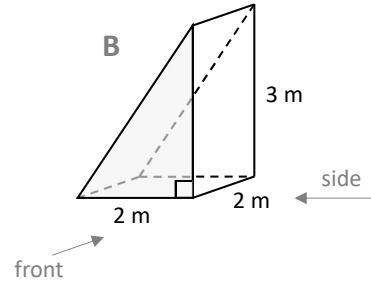
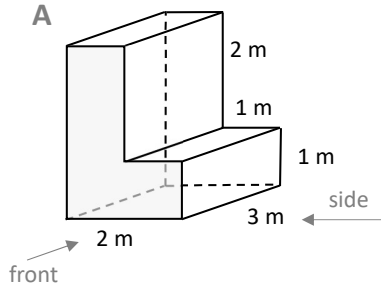


Fluency Practice

not to scale

Plans & Elevations

On the scale grid draw the front & side elevations, and the plan, for these prisms.



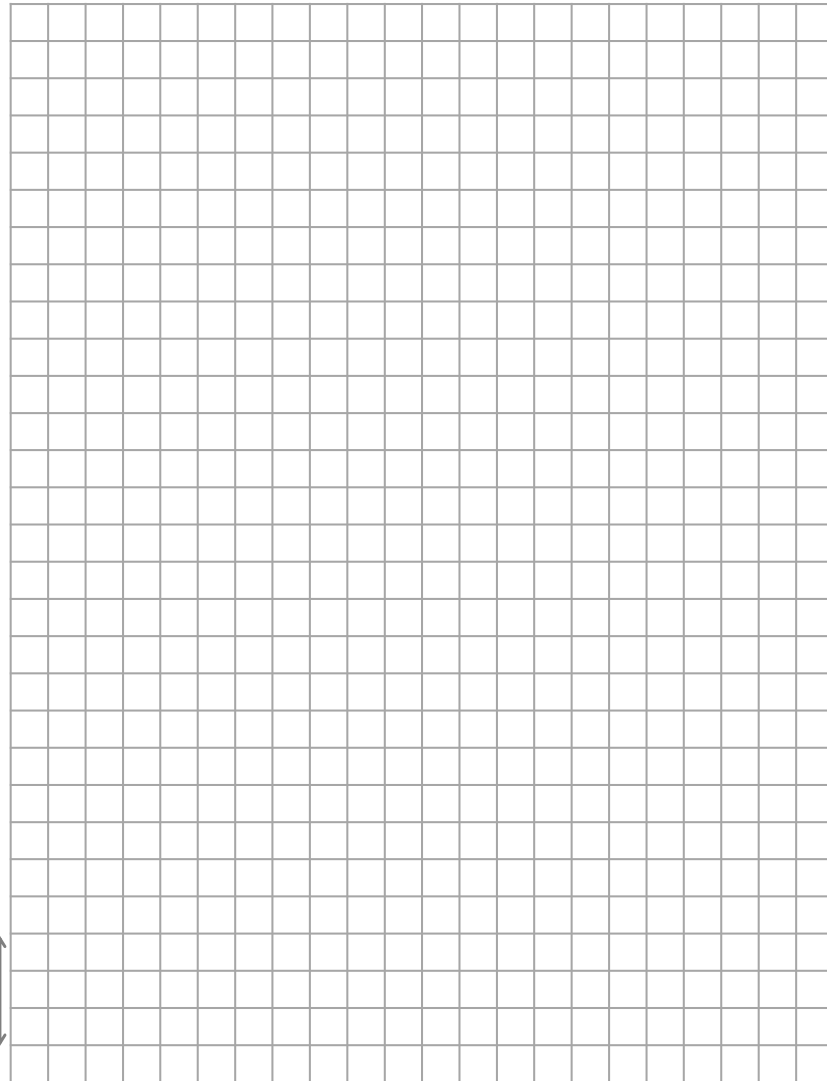
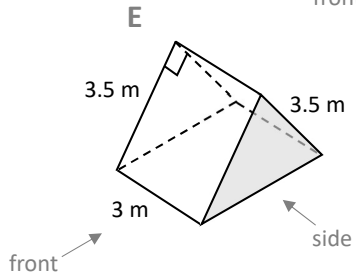
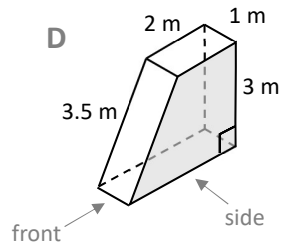
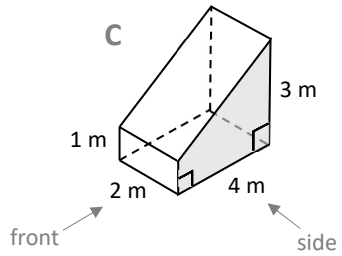
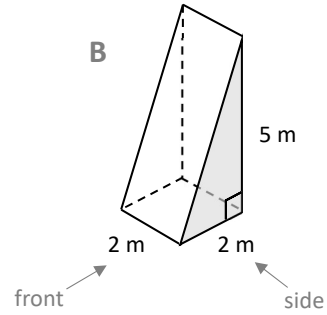
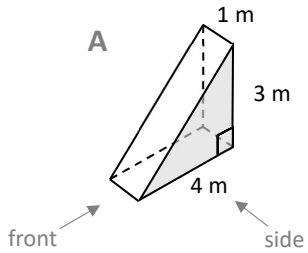
Fluency Practice

Pythag & Plans & Elevations

not to scale

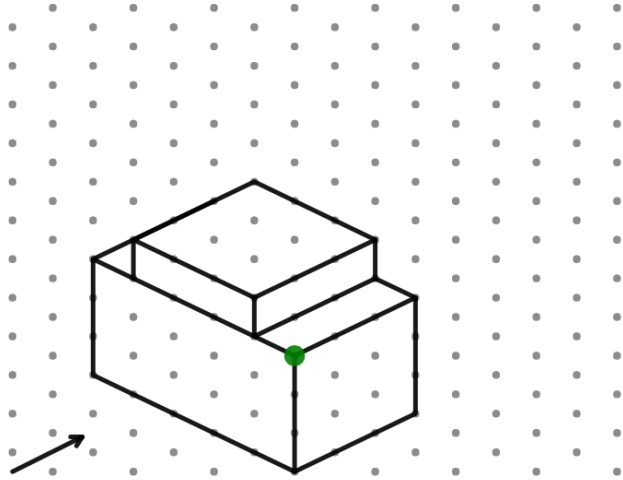
On the scale grid draw the **front & side elevations**, and the **plan**, for these **prisms**.

Label lengths that are not on the diagrams below.



Worked Example

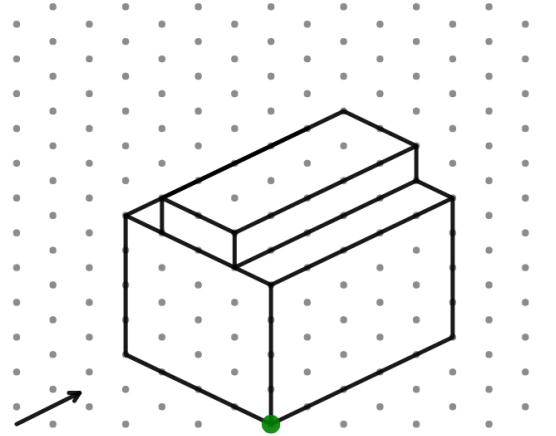
The arrow indicates the front elevation of the 3D shape.



Draw the plan of the 3D shape.

Your Turn

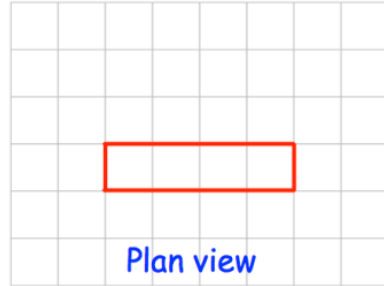
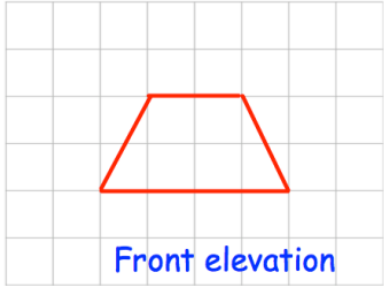
The arrow indicates the front elevation of the 3D shape.



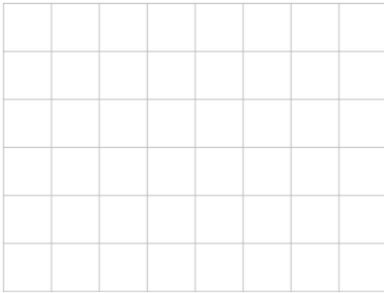
Draw the side elevation of the 3D shape.

Worked Example

Given the elevations



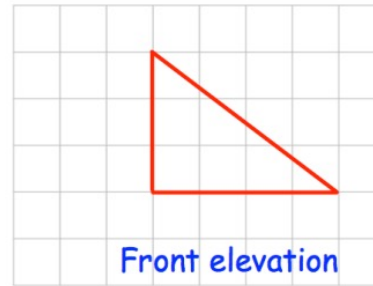
Draw the side elevation



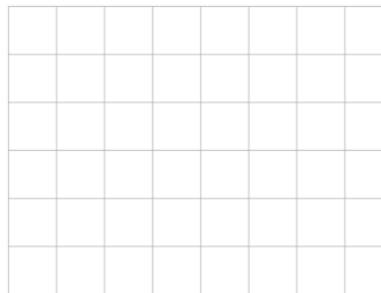
Sketch the solid shape

Your Turn

Given the elevations



Draw the plan view



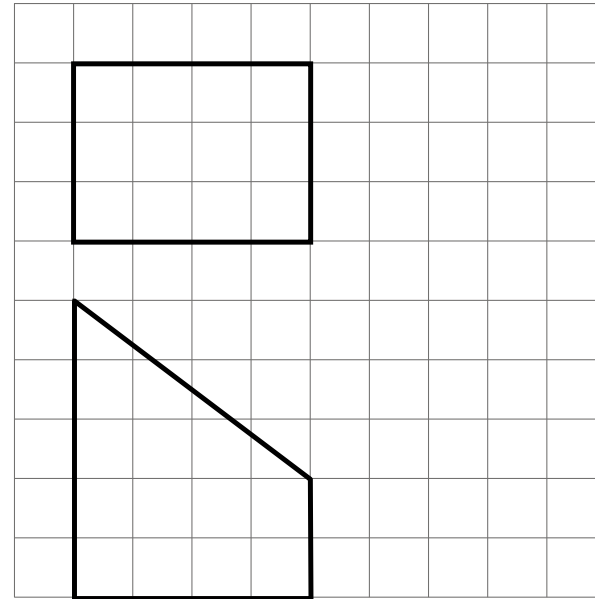
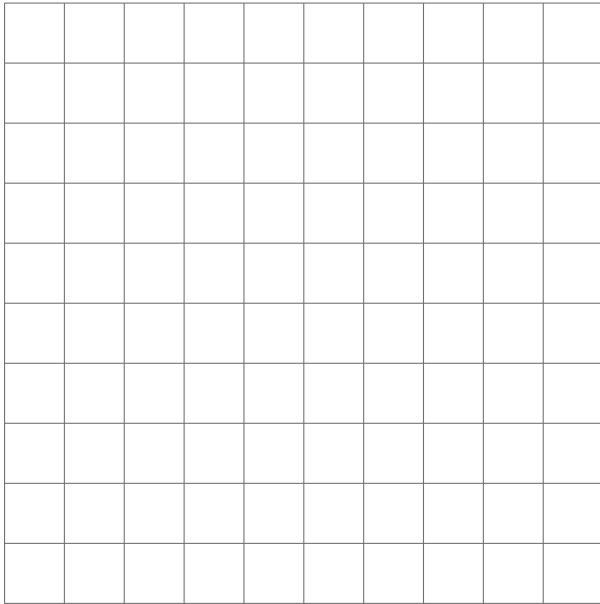
Sketch the solid shape

Fluency Practice

1. Here is the plan and side elevation of a prism.

The side elevation shows the cross section of the prism.

On the grid below, draw the front elevation of the prism.



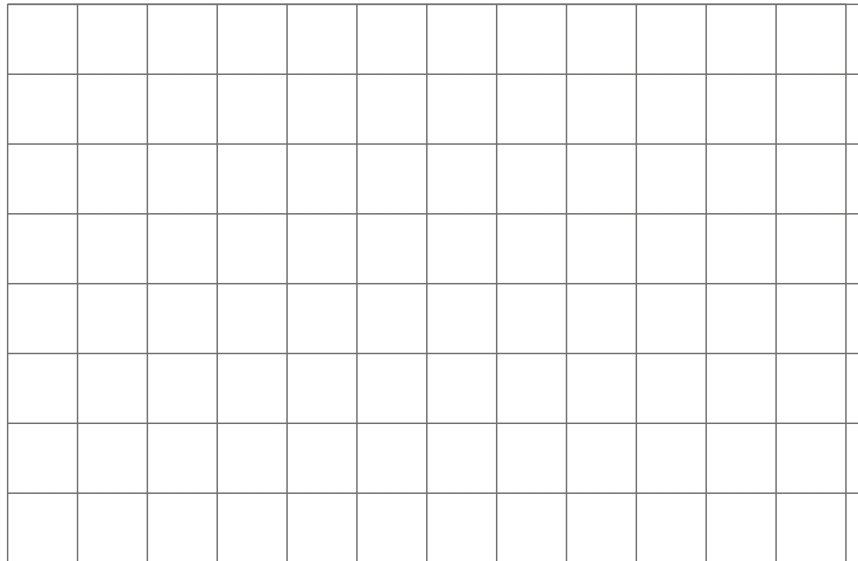
(b) In the space below, draw a 3-D sketch of the prism.

Fluency Practice

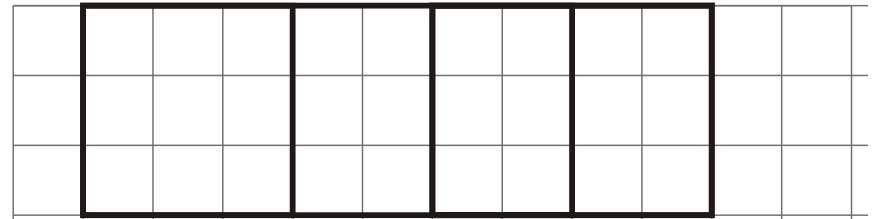
2. Here are the plan and front elevation of a prism.

The front elevation shows the cross section of the prism.

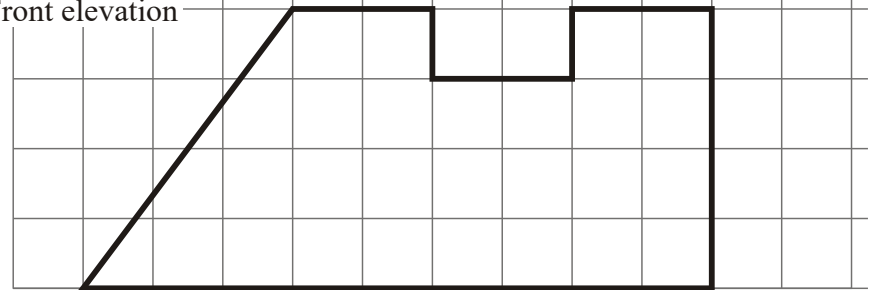
(a) On the grid below, draw a side elevation of the prism.



Plan



Front elevation

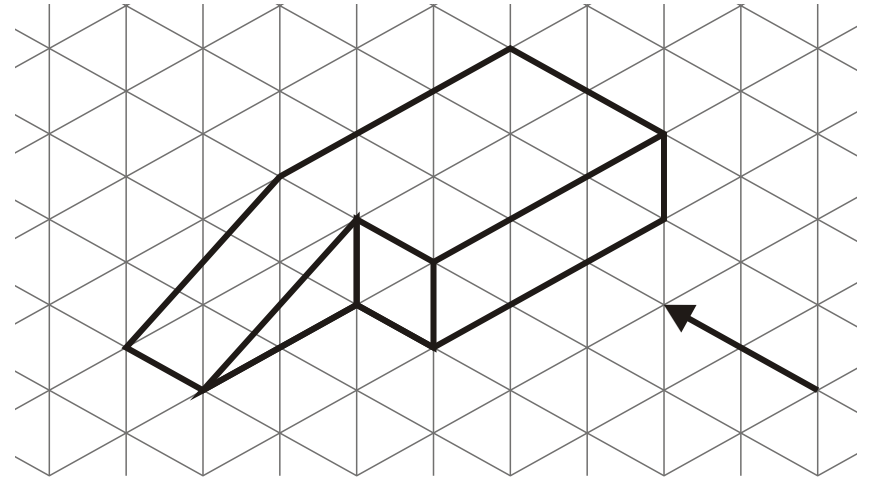


(b) In the space below, draw a 3-D sketch of the prism.

Fluency Practice

3. The diagram shows a solid object.

(a) In the space below, sketch the front elevation from the direction marked with an arrow.



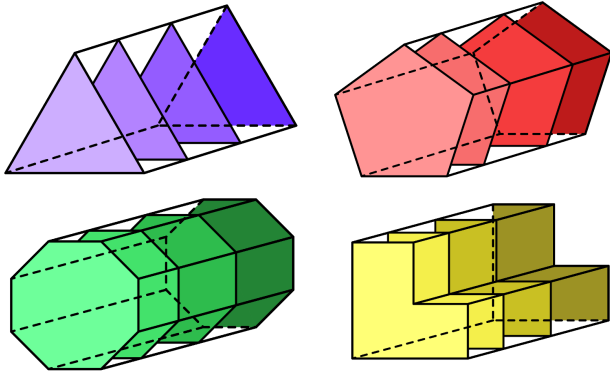
(b) In the space below, sketch the plan of the solid object.

Extra Notes

4 Volume and Surface Area of Prisms

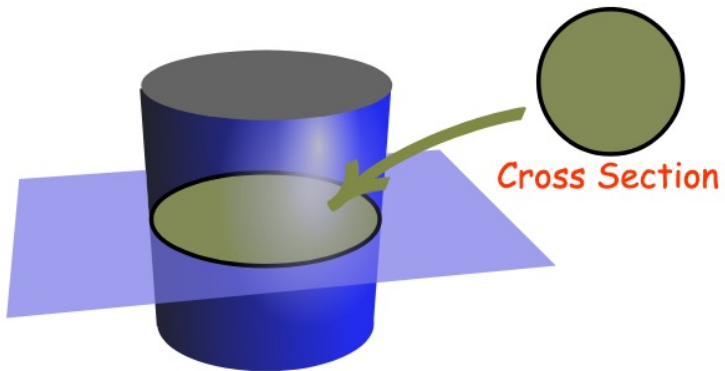
Prisms

A **prism** is a 3D shape which has the same *cross-section* along its length.

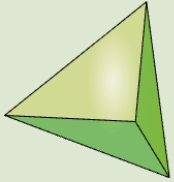
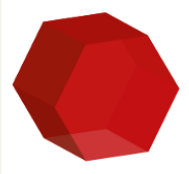
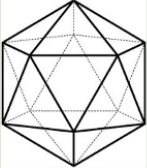
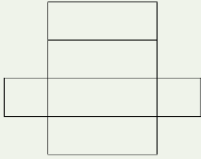
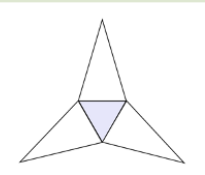


Cross-Section


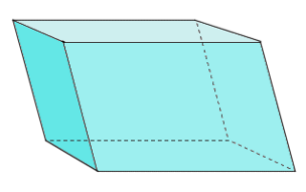

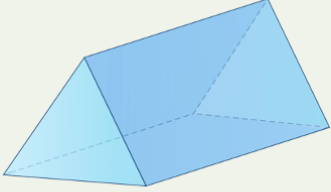

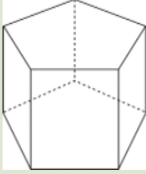
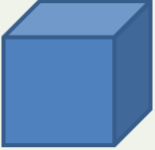
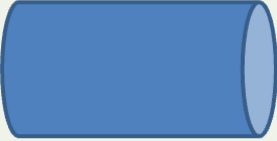
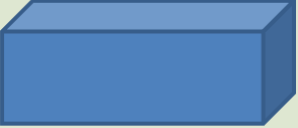
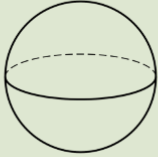
It is the shape made when a solid is cut through parallel to the base.



What is a Prism?

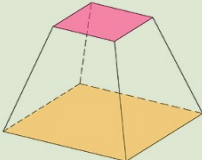
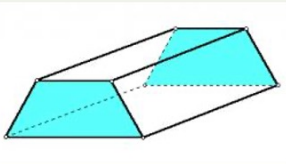
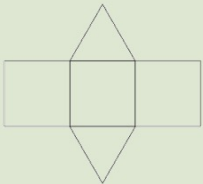

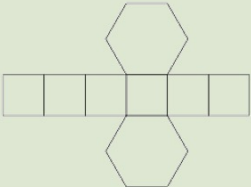
Shape	Prism?
	
	
	
Net 	
Net 	

Fluency Practice

Shape	Prism?	Shape	Prism?
			
			
			
			
			

Fluency Practice

Shape	Prism?
	
	
	
	
	

Shape	Prism?
	
	
Net 	
Net 	
Net 	

Frayer Model – Prism

Definition

Characteristics

Examples

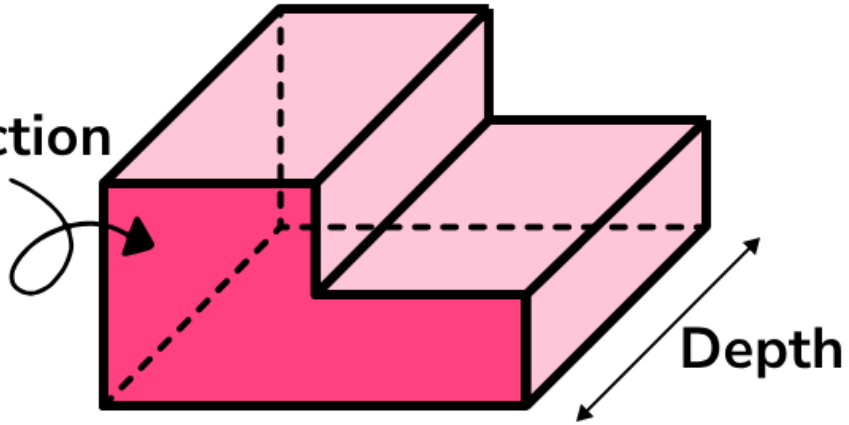
Non-Examples

Volume of Prisms

Volume of Prism = Area of Cross Section \times Depth

$$V = A \times D$$

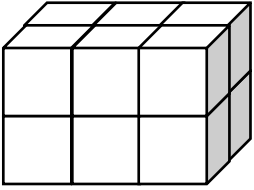
Cross Section



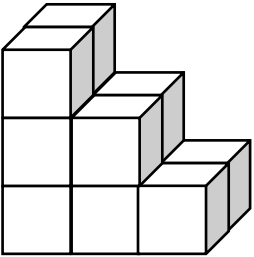
Worked Example

Write down the volume of the shape:

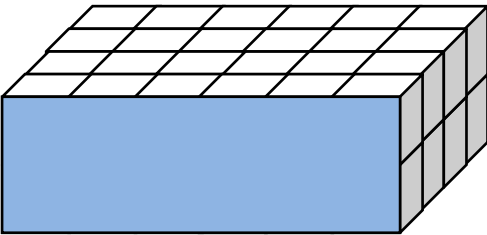
a)



b)



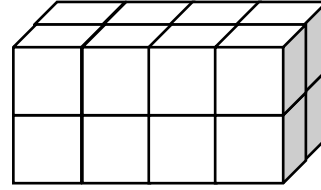
c)



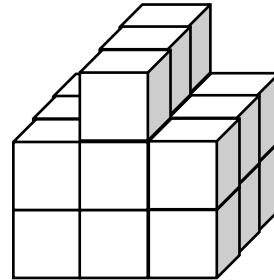
Your Turn

Write down the volume of the shape:

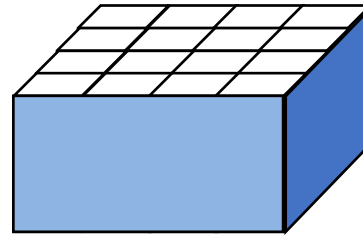
a)



b)

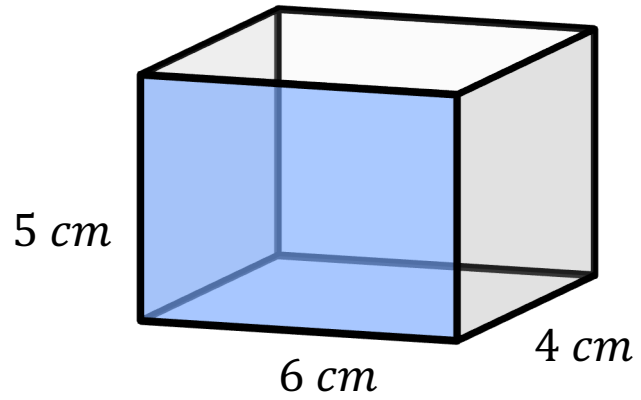


c)



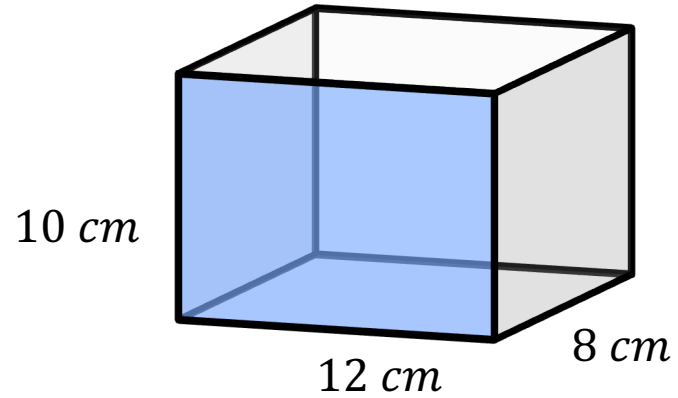
Worked Example

Calculate the volume of the cuboid:



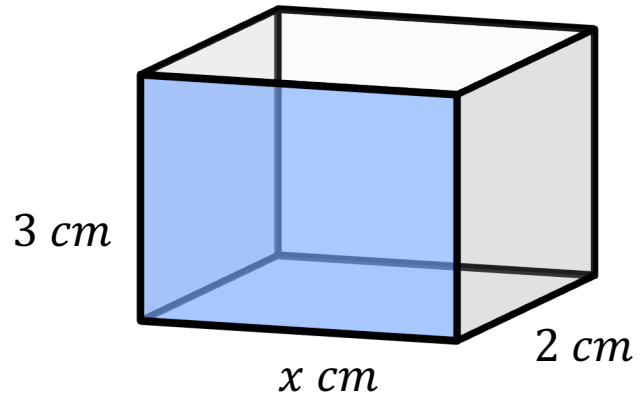
Your Turn

Calculate the volume of the cuboid:



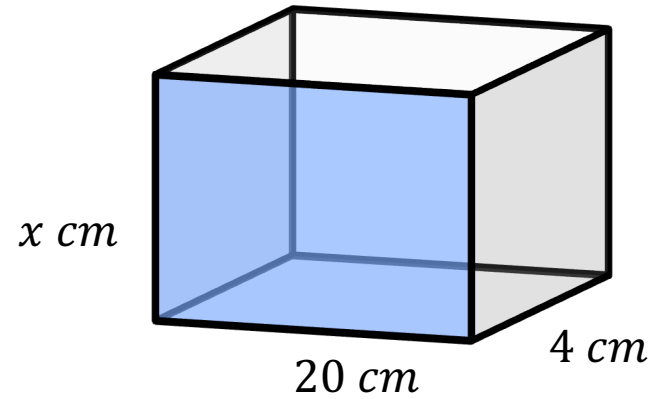
Worked Example

Find x , given that the volume of the cuboid is 60 cm^3



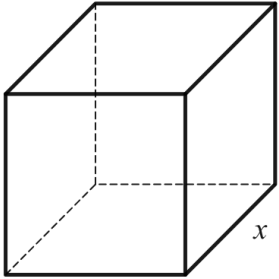
Your Turn

Find x , given that the volume of the cuboid is 480 cm^3



Worked Example

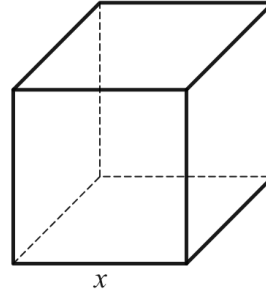
The diagram shows a cube with volume 343 cm^3



Find the length x

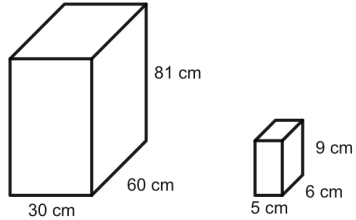
Your Turn

The diagram shows a cube with volume 5832 m^3



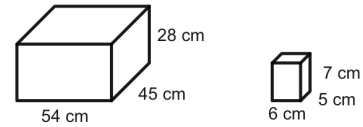
Find the length x

Worked Example



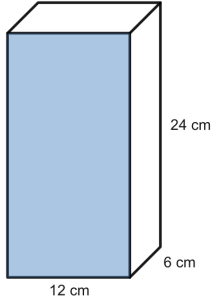
Connor has a crate in the shape of a cuboid which measures 30 cm by 60 cm by 81 cm. He has n cuboid-shaped bricks which he is going to completely fill the crate with. These measure 5 cm by 6 cm by 9 cm. Calculate the value of n .

Your Turn



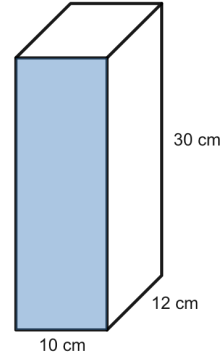
A cuboid-shaped crate measures 54 cm by 45 cm by 28 cm. The crate is going to be completely filled with n bars. Each bar is a cuboid and measures 6 cm by 5 cm by 7 cm. Calculate the value of n .

Worked Example



Diana has a carton of milk which is shaped like a cuboid. The base of the carton measures 12 cm by 6 cm. The height of the carton is 24 cm. The milk partially fills the carton to a depth of 8 cm. The carton is turned over so that the shaded side is facing upwards. The depth of milk in the carton is now d cm. Calculate the value of d .

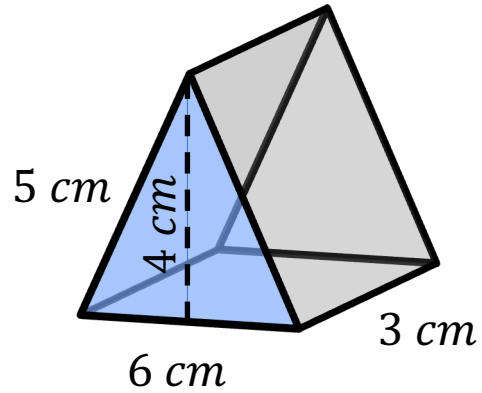
Your Turn



Awa has a carton of milk which is shaped like a cuboid. The base of the carton measures 10 cm by 12 cm. The height of the carton is 30 cm. The oat milk partially fills the carton to a depth of 10 cm. The carton is turned over so that the shaded side is facing upwards. The depth of oat milk in the carton is now d cm. Calculate the value of d .

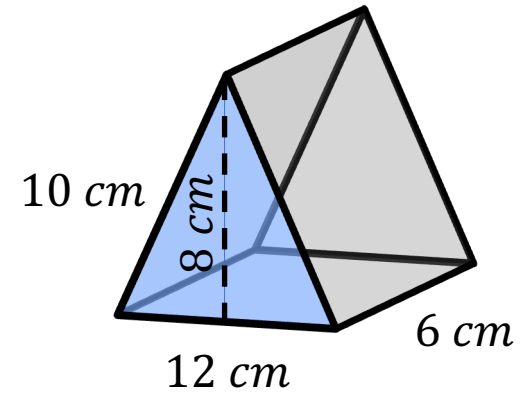
Worked Example

Calculate the volume of the triangular prism:



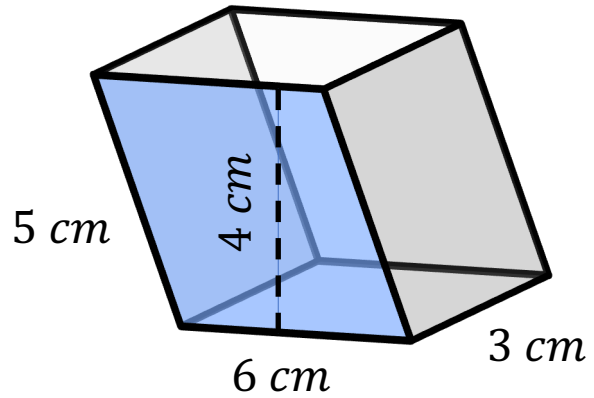
Your Turn

Calculate the volume of the triangular prism:



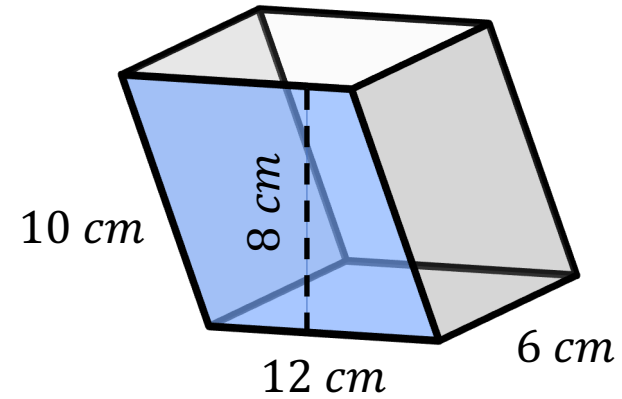
Worked Example

Calculate the volume of the parallelepiped:



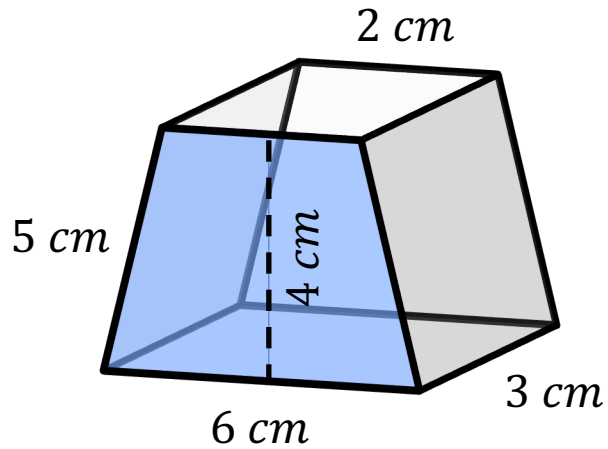
Your Turn

Calculate the volume of the parallelepiped:



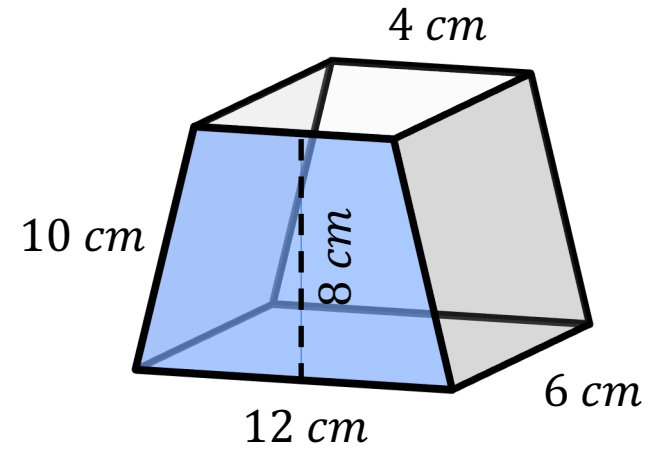
Worked Example

Calculate the volume of the trapezium prism:



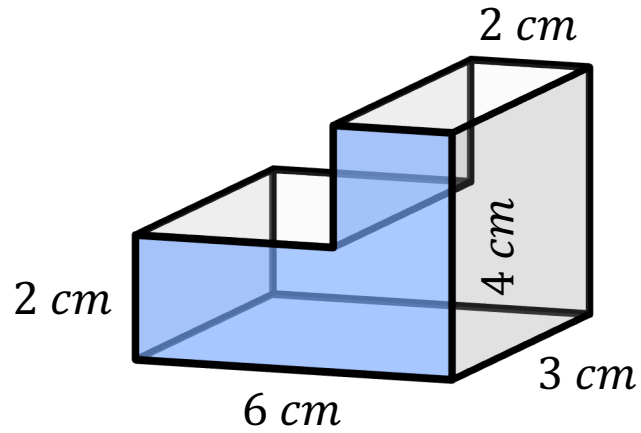
Your Turn

Calculate the volume of the trapezium prism:



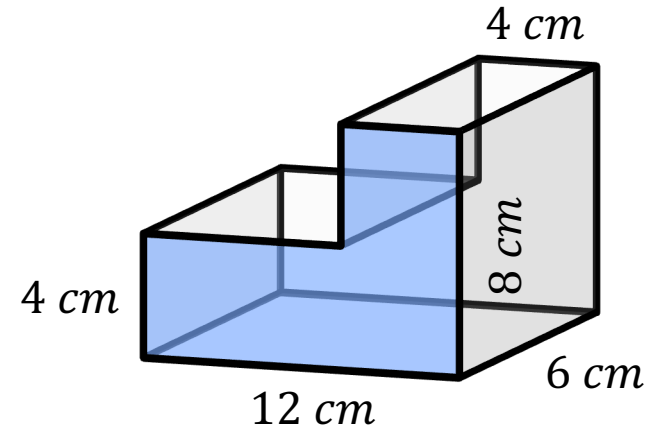
Worked Example

Calculate the volume of the L-shaped prism:



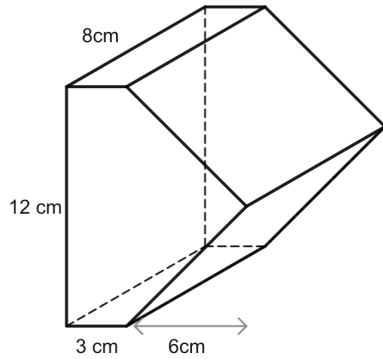
Your Turn

Calculate the volume of the L-shaped prism:



Worked Example

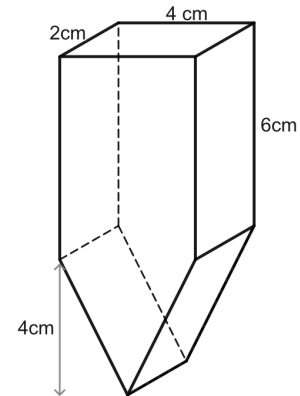
The diagram below shows a prism.



Work out the volume of the prism.

Your Turn

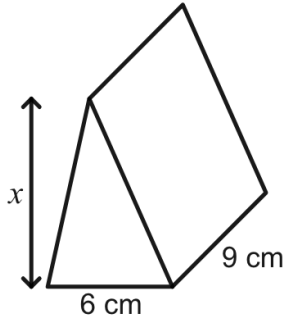
The diagram below shows a prism.



Find the volume of the prism.

Worked Example

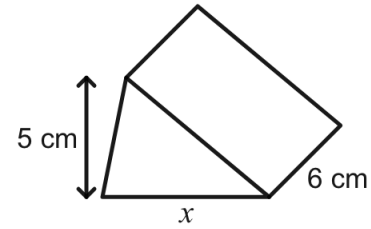
The volume of the prism is 243 cm^3



Find the value of x

Your Turn

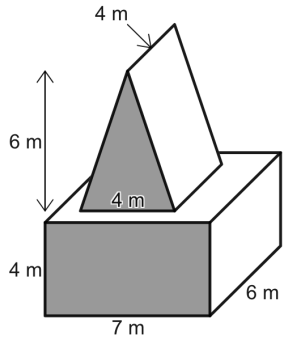
The volume of the prism is 105 cm^3



Find the value of x

Worked Example

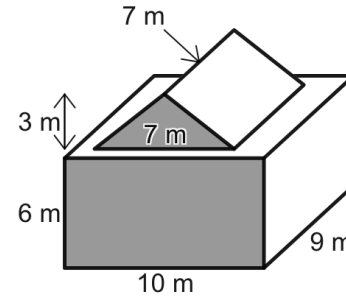
A composite solid is made from a cuboid and a triangular prism joined together, as shown in the diagram below.



Calculate the volume of the composite solid.

Your Turn

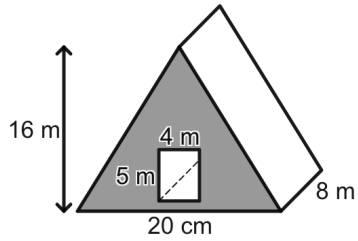
A composite solid is made from a cuboid and a triangular prism joined together, as shown in the diagram below.



Calculate the volume of the composite solid.

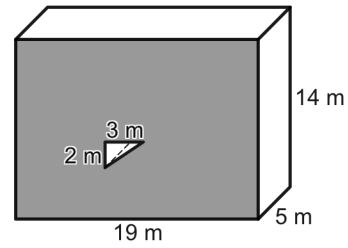
Worked Example

Calculate the volume of the prism with the cut out removed.



Your Turn

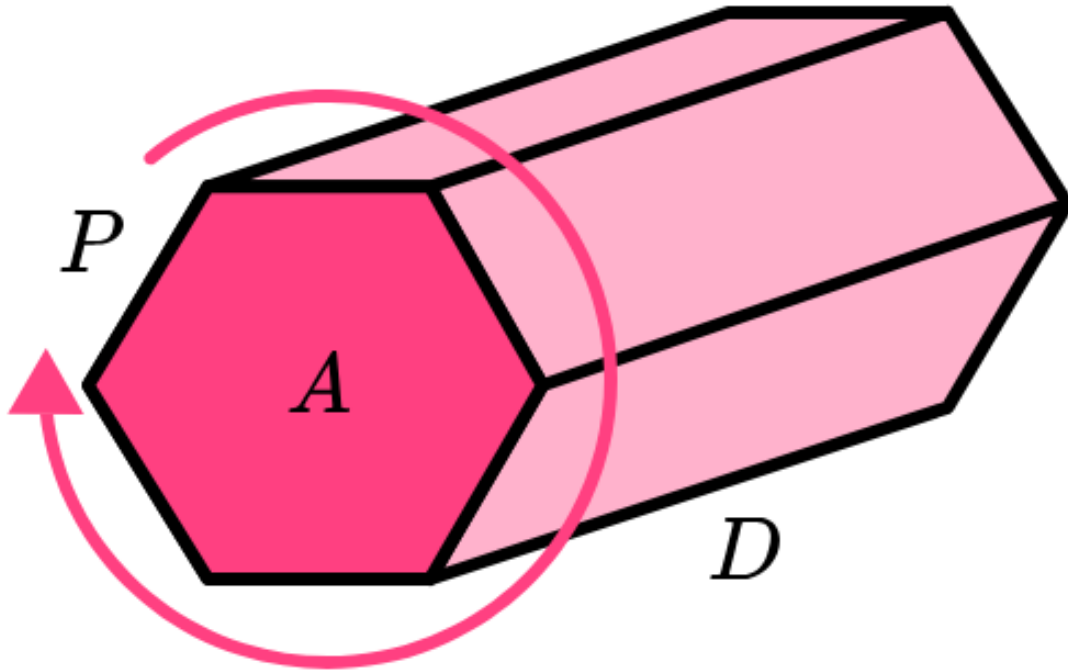
Calculate the volume of the prism with the cut out removed.



Surface Area of Prisms

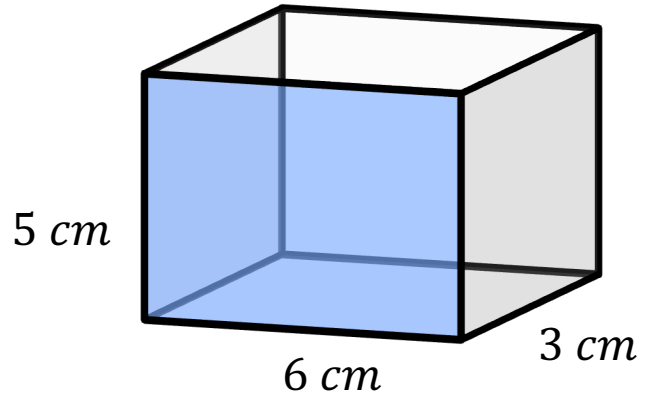
Surface Area of Prism = $2 \times \text{Area of Cross Section} + \text{Perimeter of Cross Section} \times \text{Depth of Prism}$

$$SA = 2A + PD$$



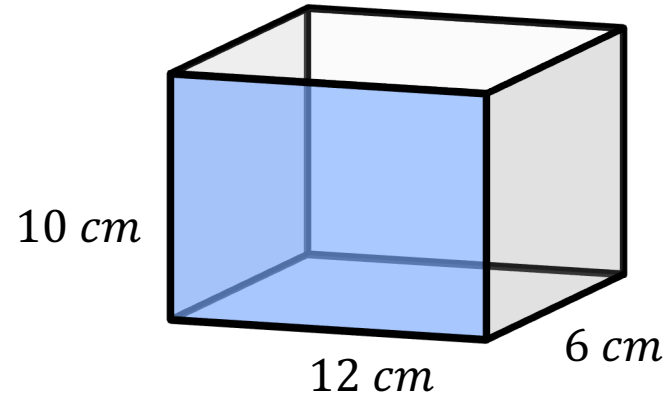
Worked Example

Calculate the surface area of the cuboid:



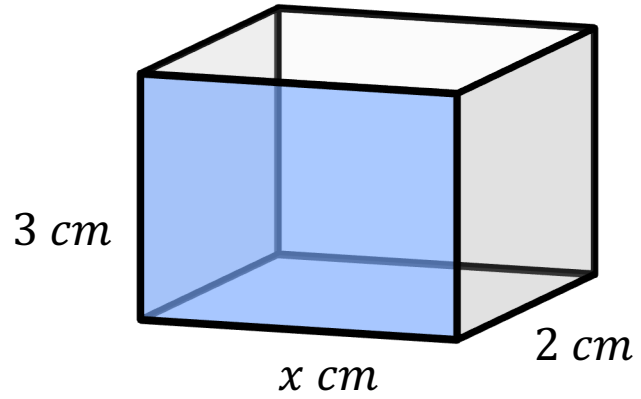
Your Turn

Calculate the surface area of the cuboid:



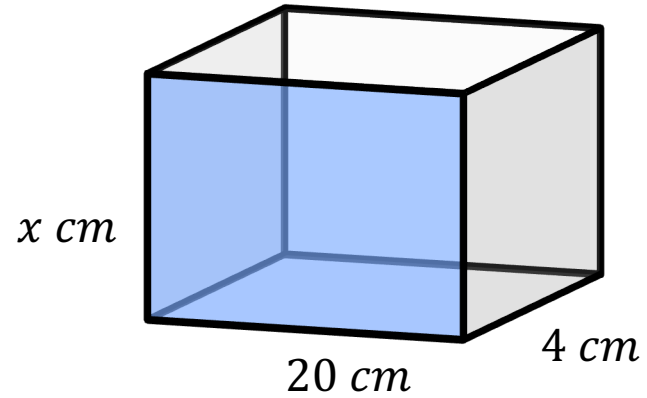
Worked Example

Find x , given that the total surface area is 112 cm^2



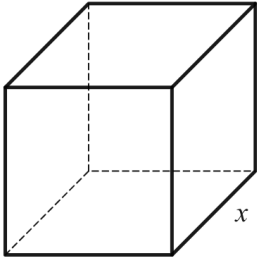
Your Turn

Find x , given that the total surface area is 448 cm^2



Worked Example

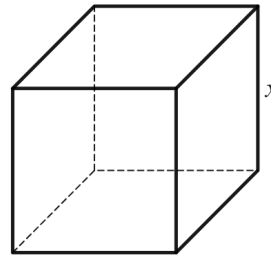
The diagram shows a cube with a surface area of 486 cm^2



Calculate the length x

Your Turn

The diagram shows a cube with a surface area of 294 cm^2

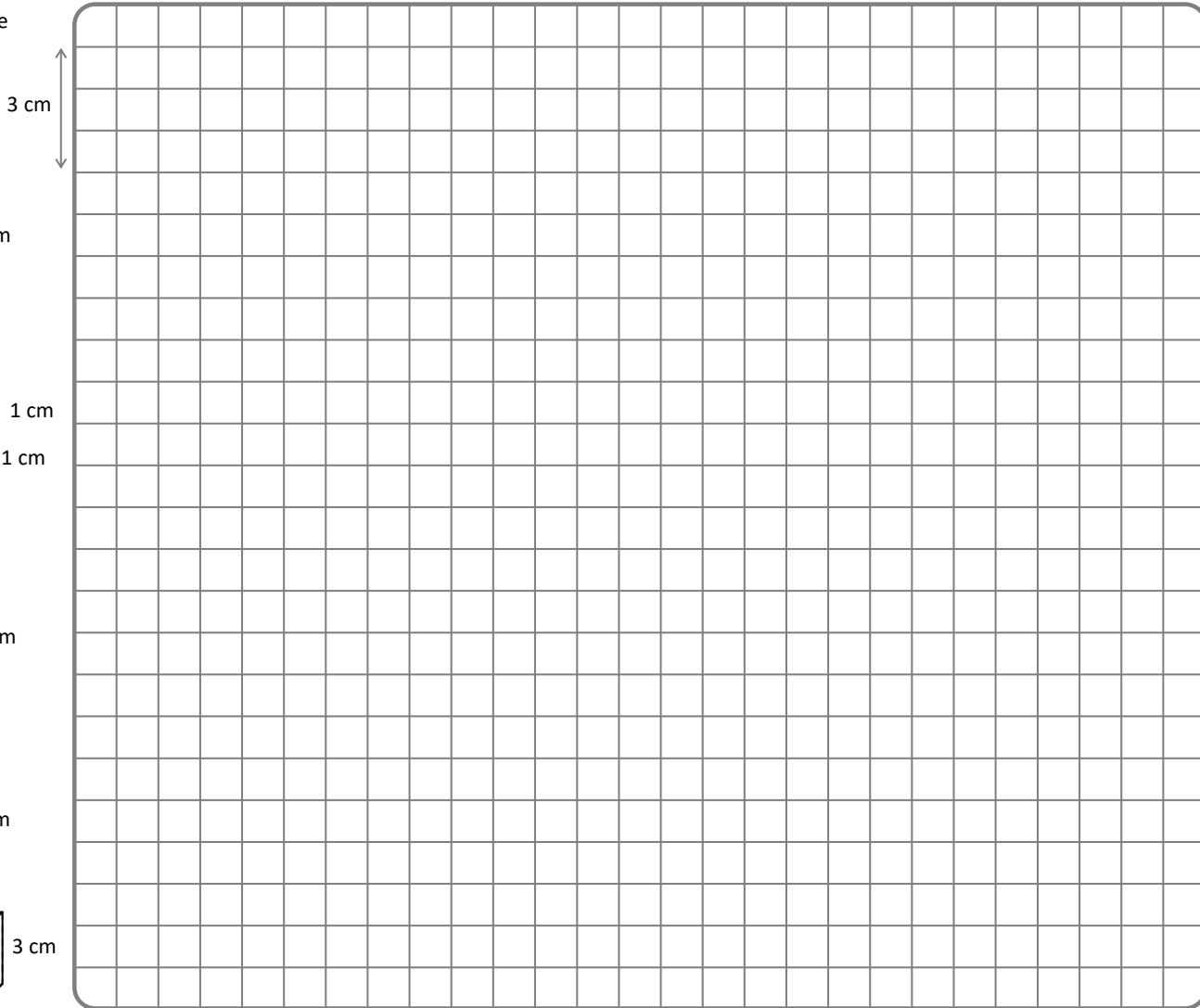
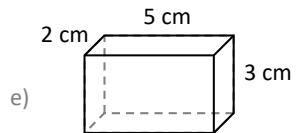
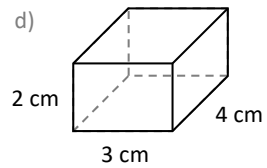
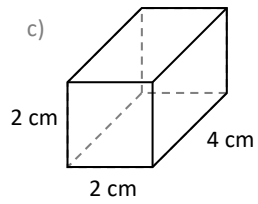
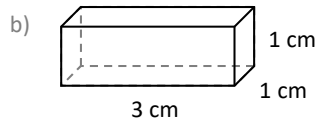
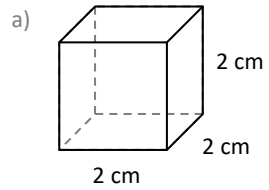


Work out the length x

Fluency Practice

On the scale grid draw the **NET** for each cuboid.

Use the net to find the **total surface area** of each shape.

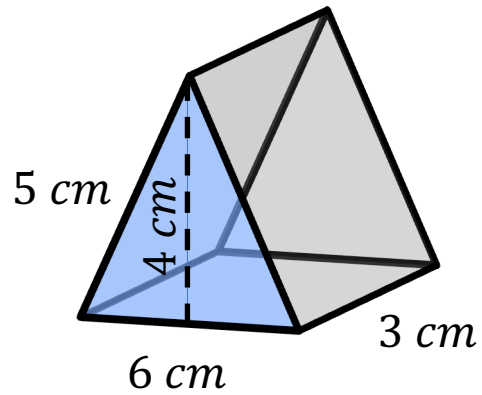


Fill in the Gaps

Cube or Cuboid	Length	Width	Height	Volume	Surface Area
<i>Cuboid</i>	10 cm	5 cm	3 cm		190 cm^2
<i>Cube</i>	4 cm			64 cm^3	
<i>Cuboid</i>	12 cm	8 cm	2 cm		
<i>Cuboid</i>	30 mm	25 mm	15 mm		
<i>Cube</i>		1.8 m			
<i>Cuboid</i>	10 cm	7 cm		350 cm^3	
<i>Cube</i>				729 cm^3	
<i>Cuboid</i>		3.6 cm	20 cm	259.2 cm^3	
<i>Cuboid</i>	45 mm	20 mm		22500 mm^3	
<i>Cube</i>					294 cm^2
<i>Cuboid</i>	4 cm		6 cm		228 cm^2
<i>Cuboid</i>	20 mm	12 mm			1568 mm^2
<i>Cuboid</i>		11 cm		528 cm^3	404 cm^2
<i>Cuboid</i>	2 mm			720 mm^3	876 mm^2

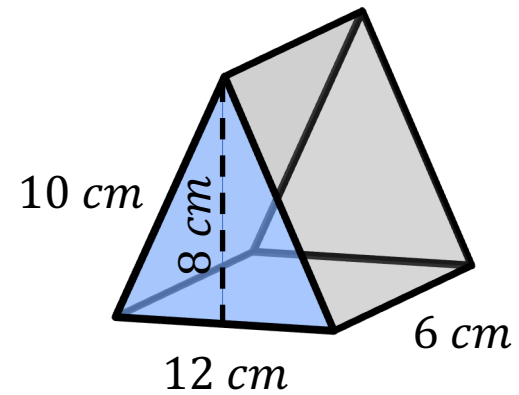
Worked Example

Calculate the surface area of the triangular prism:



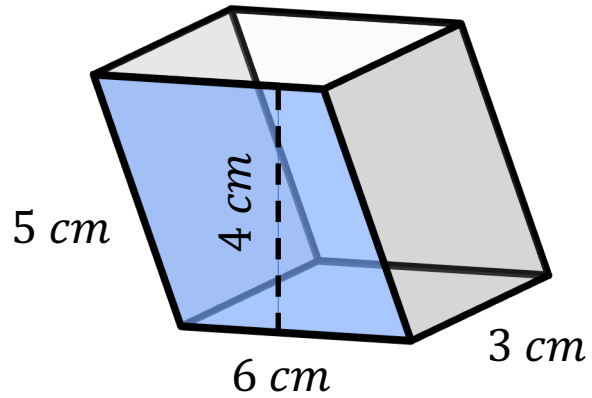
Your Turn

Calculate the surface area of the triangular prism:



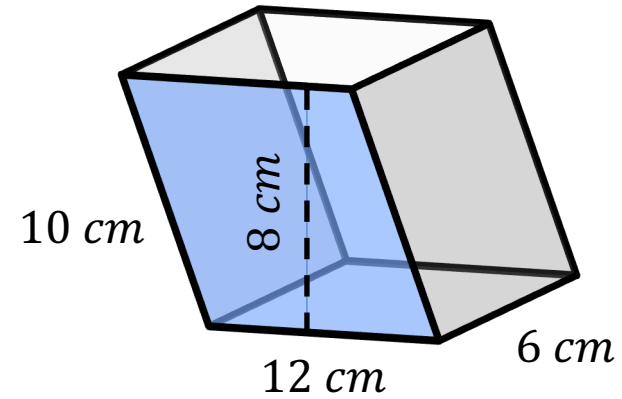
Worked Example

Calculate the surface area of the parallelepiped:



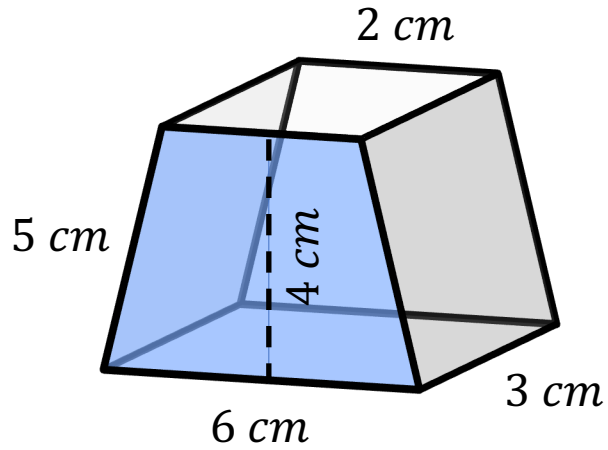
Your Turn

Calculate the surface area of the parallelepiped:



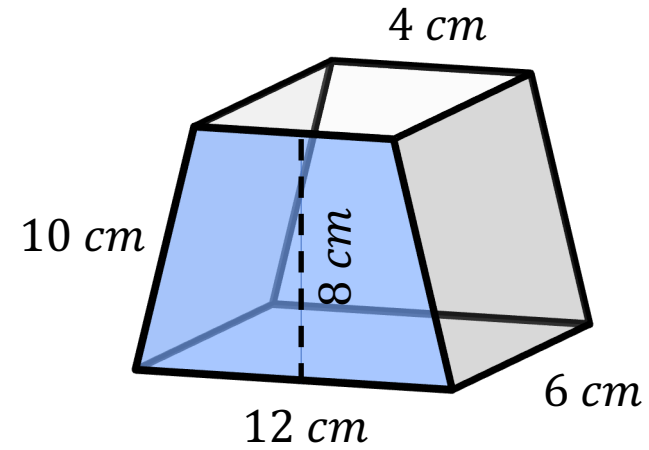
Worked Example

Calculate the surface area of the trapezium prism:



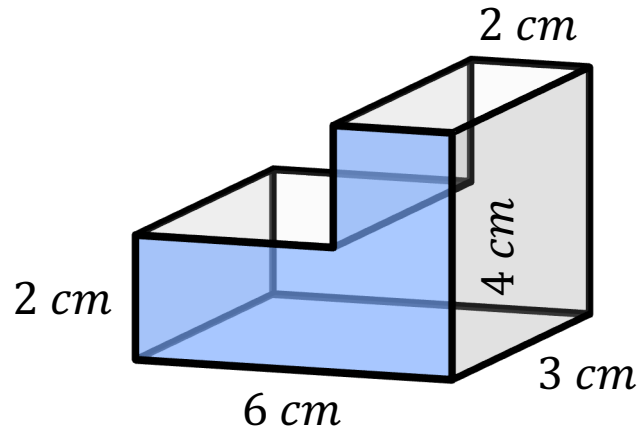
Your Turn

Calculate the surface area of the trapezium prism:



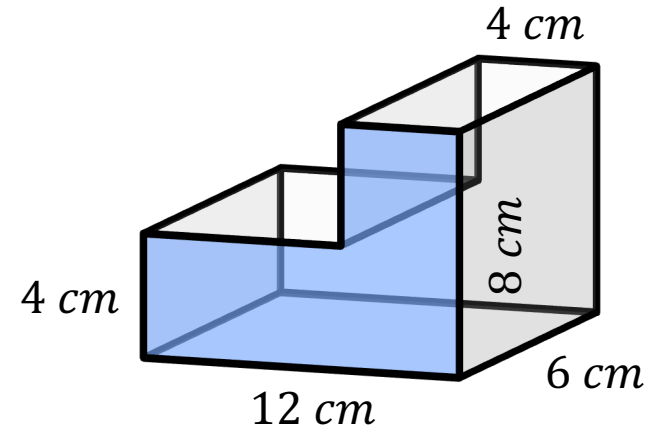
Worked Example

Calculate the surface area of the L-shaped prism:



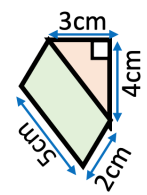
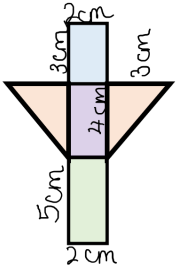
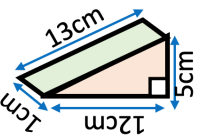
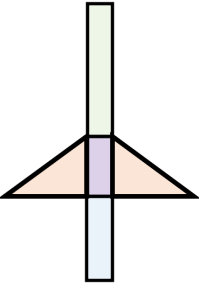
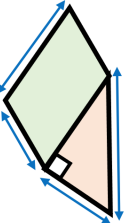
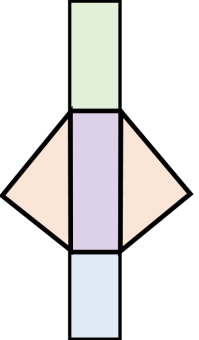
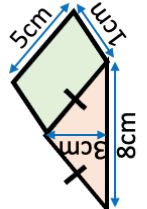
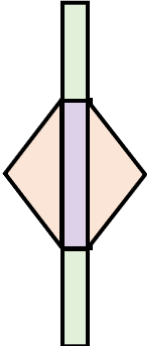
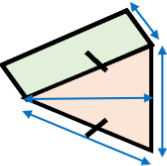
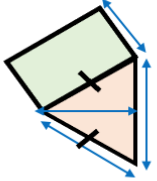
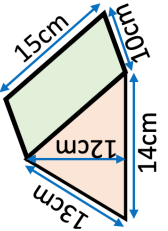
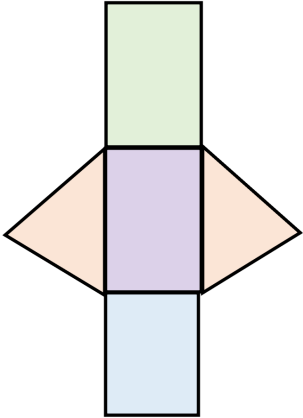
Your Turn

Calculate the surface area of the L-shaped prism:



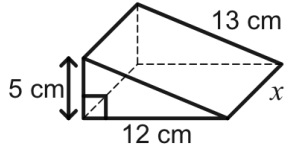
Fill in the Gaps

Fill in the table with labels, nets and surface area of each triangular prism

Triangular Prism	Net	Surface Area	Surface Area
			
			
		$2 \times \frac{8 \times 6}{2}$ $+ 8 \times 7$ $+ 6 \times 7$ $+ 10 \times 7$	
			
		$2 \times \frac{10 \times 12}{2}$ $+ 13 \times 1$ $+ 13 \times 1$ $+ 10 \times 1$	
		$2 \times \frac{12 \times 8}{2}$ $+ 10 \times ?$ $+ 10 \times ?$ $+ 12 \times ?$	224cm^2
			

Worked Example

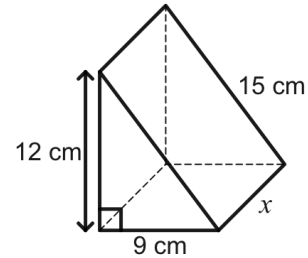
The diagram shows a prism with surface area 330 cm^2



Calculate the unknown length x

Your Turn

The diagram shows a prism with surface area 468 cm^2



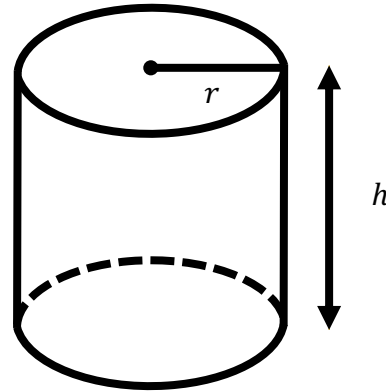
Calculate the unknown length x

Volume of Cylinders

Volume of Cylinder = Area of circle \times height

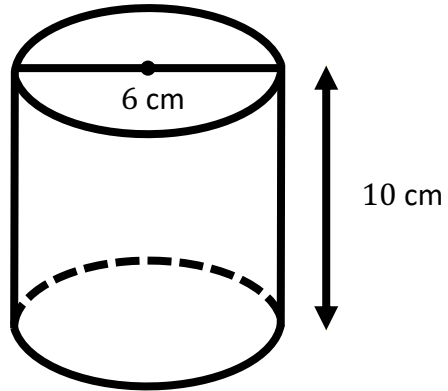
Volume of Cylinder = $\pi \times \text{radius}^2 \times \text{height}$

$$V = \pi r^2 h$$



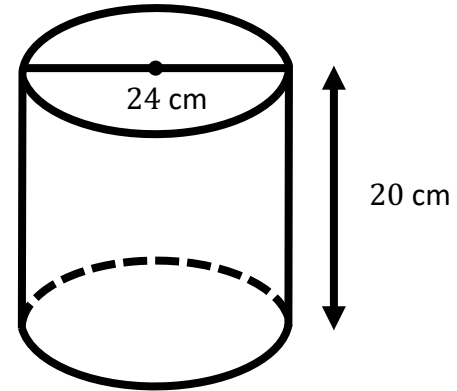
Worked Example

Calculate the volume of the following cylinder. Give your answer in terms of π and to 1 decimal place.



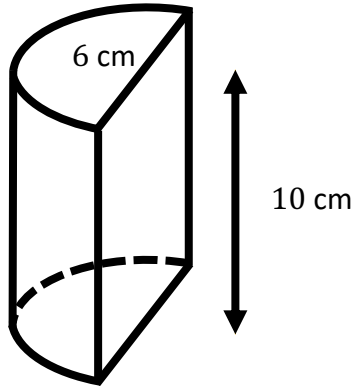
Your Turn

Calculate the volume of the following cylinder. Give your answer in terms of π and to 1 decimal place.



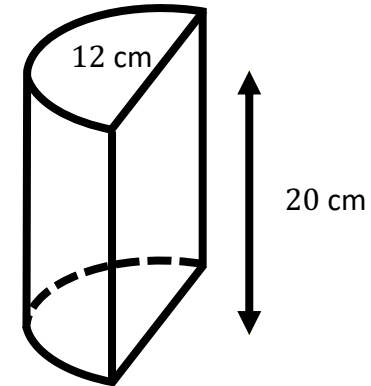
Worked Example

Calculate the volume of the following half cylinder. Give your answer in terms of π and to 1 decimal place.



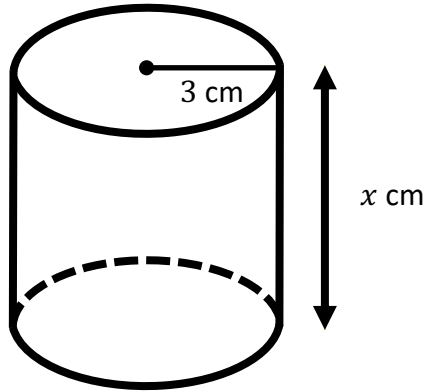
Your Turn

Calculate the volume of the following half cylinder. Give your answer in terms of π and to 1 decimal place.



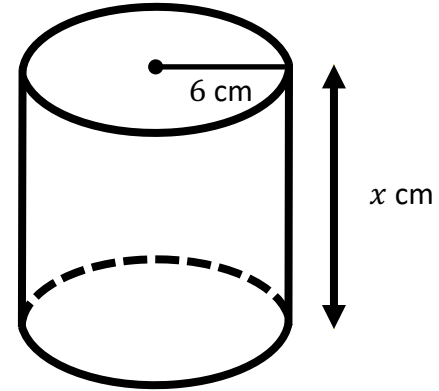
Worked Example

Find the height, x , given that the volume of the following cylinder is 282.7 cm^3 . Give your answer to 1 decimal place.



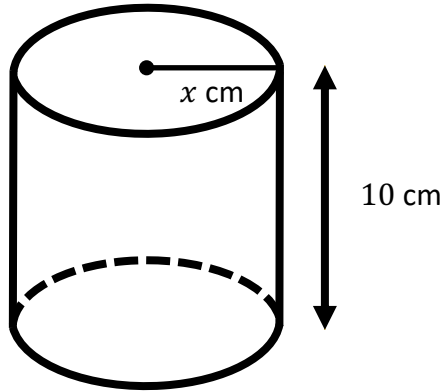
Your Turn

Find the height, x , given that the volume of the following cylinder is 2261.9 cm^3 . Give your answer to 1 decimal place.



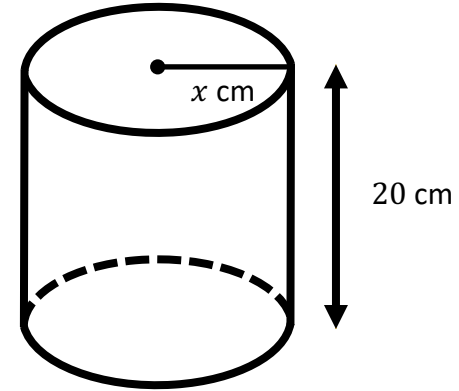
Worked Example

Find the radius, x , given that the volume of the following cylinder is 282.7 cm^3 . Give your answer to 1 decimal place.



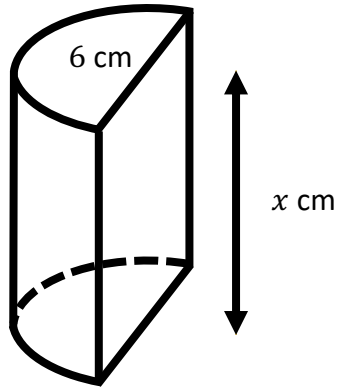
Your Turn

Find the radius, x , given that the volume of the following cylinder is 2261.9 cm^3 . Give your answer to 1 decimal place.



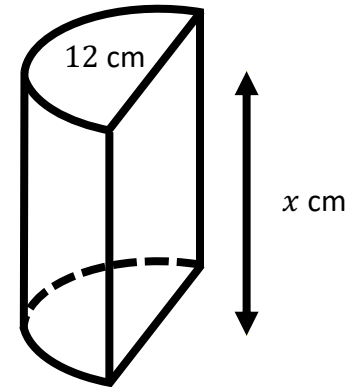
Worked Example

Find the height, x , given that the volume of the following half cylinder is 141.4 cm^3 . Give your answer to 1 decimal place.



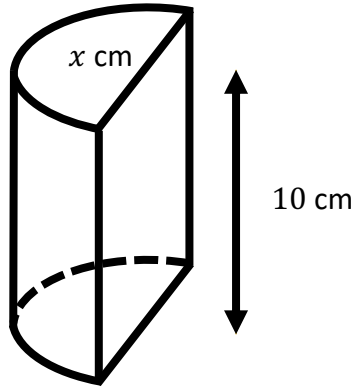
Your Turn

Find the height, x , given that the volume of the following half cylinder is 1131.0 cm^3 . Give your answer to 1 decimal place.



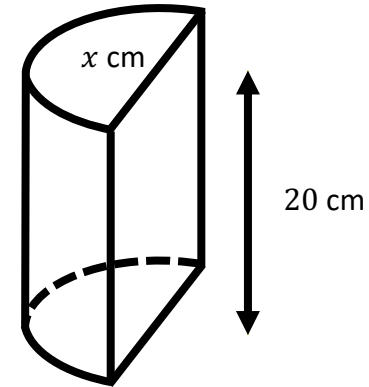
Worked Example

Find the diameter, x , given that the volume of the following half cylinder is 141.4 cm^3 . Give your answer to 1 decimal place.



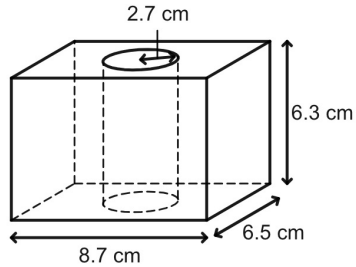
Your Turn

Find the diameter, x , given that the volume of the following half cylinder is 1131.0 cm^3 . Give your answer to 1 decimal place.



Worked Example

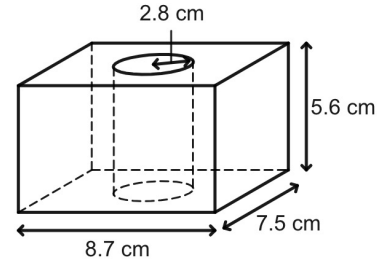
A vertical cylinder of radius 2.7 cm is removed from a cuboid with sides of length 8.7 cm, 6.5 cm and 6.3 cm, leaving behind the object shown below.



Determine the volume of the remaining object.
Give your answer to 1 decimal place.

Your Turn

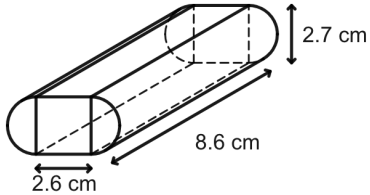
A woodworker takes a cuboid with sides of length 8.7 cm, 7.5 cm and 5.6 cm and removed a central cylinder of radius 2.8 cm from the middle of it, producing the following shape.



Evaluate the remaining volume after the cylinder has been removed.
Give your answer to 1 decimal place.

Worked Example

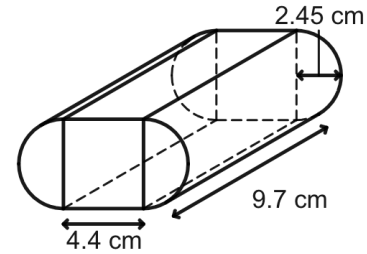
A composite shape is formed by attaching two semi-cylinders to the sides of a cuboid of width 2.6 cm, length 8.6 cm and height 2.7 cm as shown in the diagram below.



Find the volume of the composite shape.
Give your answer correct to 1 Decimal place.

Your Turn

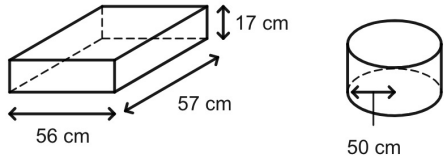
A composite shape is formed by attaching two semi-cylinders of radius 2.45 cm to the sides of a cuboid of width 4.4 cm, length 9.7 cm as shown in the diagram below.



Find the volume of the composite shape.
Give your answer correct to 1 Decimal place.

Worked Example

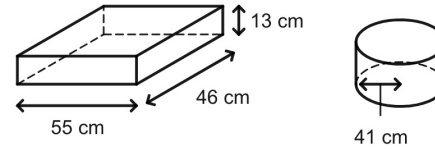
A rectangular tray measuring 56 cm by 57 cm by 17 cm is full of water. All of the water is then poured into a cylindrical container with radius 50 cm.



Find the height of the water while in the cylindrical container.
Give your answer correct to one decimal place.

Your Turn

A rectangular tray measuring 55 cm by 46 cm by 13 cm is full of water. All of the water is then poured into a cylindrical container with radius 41 cm.



Find the height of the water while in the cylindrical container.
Give your answer correct to one decimal place.

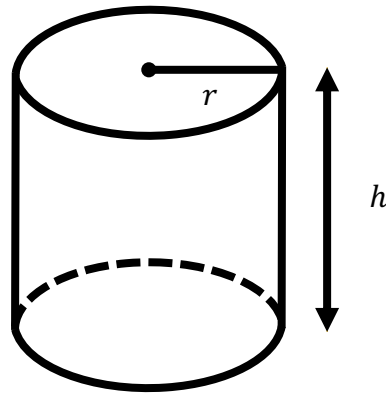
Surface Area of Cylinders

Curved Surface Area of Cylinder = $2 \times \pi \times \text{radius} \times \text{height}$

$$\text{CSA} = 2\pi rh$$

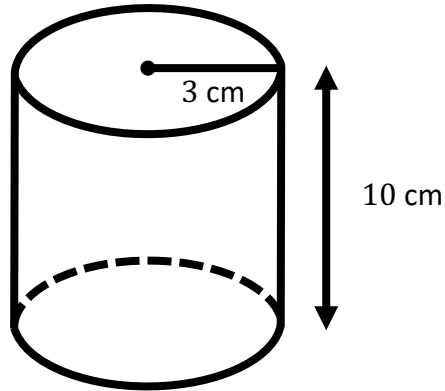
Total Surface Area of Cylinder = $2 \times \pi \times \text{radius} \times \text{height} + 2 \times \pi \times \text{radius}^2$

$$\text{TSA} = 2\pi rh + 2\pi r^2$$



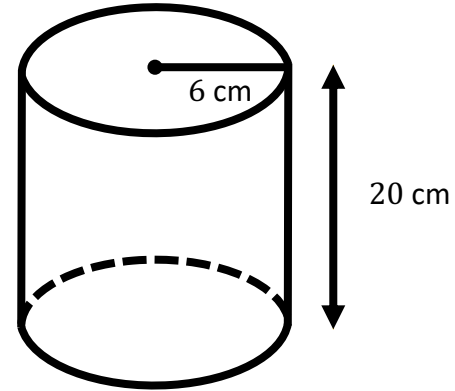
Worked Example

Calculate the total surface area of the following cylinder. Give your answer in terms of π and to 1 decimal place.



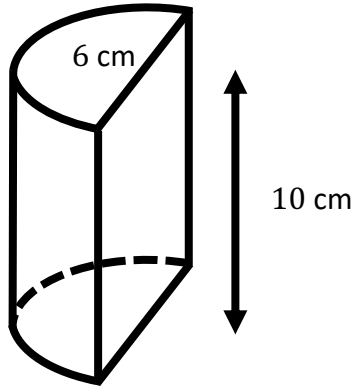
Your Turn

Calculate the total surface area of the following cylinder. Give your answer in terms of π and to 1 decimal place.



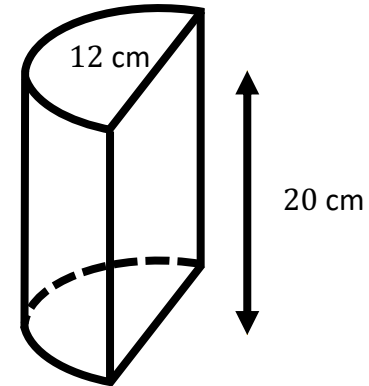
Worked Example

Calculate the total surface area of the following half cylinder.
Give your answer in terms of π and to 1 decimal place.



Your Turn

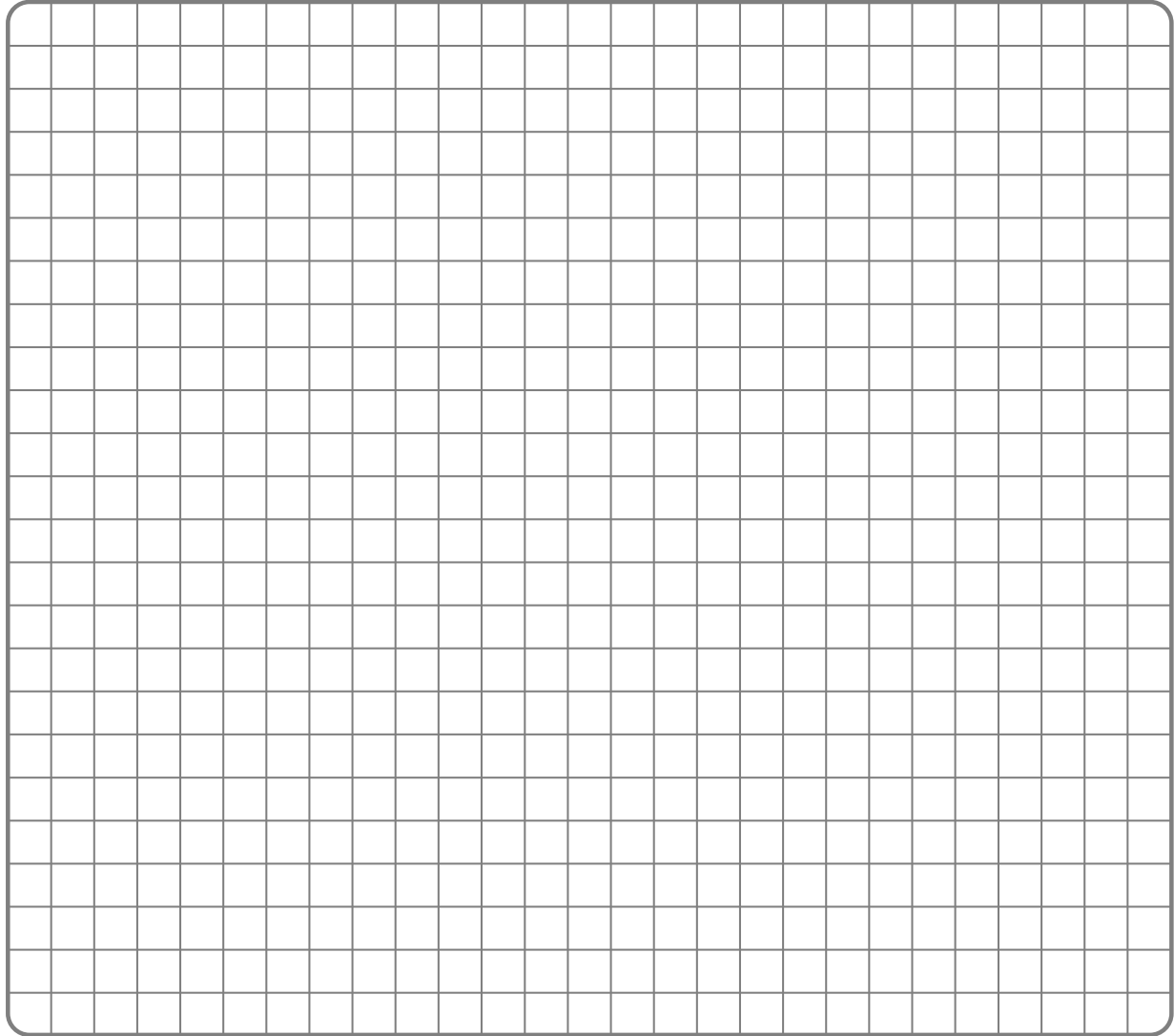
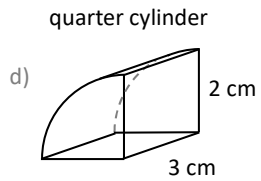
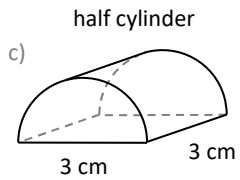
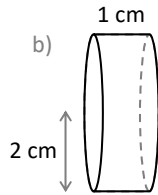
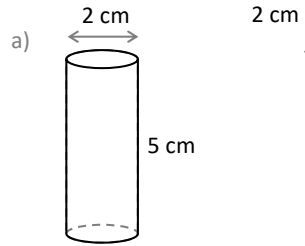
Calculate the total surface area of the following half cylinder.
Give your answer in terms of π and to 1 decimal place.



Fluency Practice

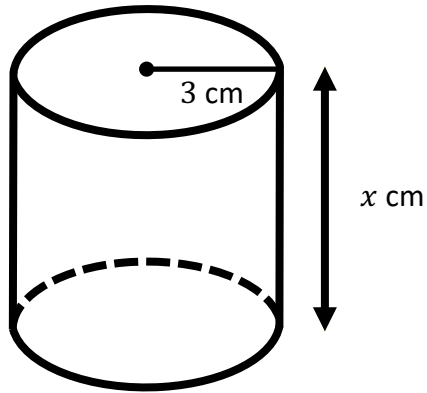
On the scale grid draw the **NET** for each type of cylinder.

Use your diagram to calculate the **surface area** of each shape.



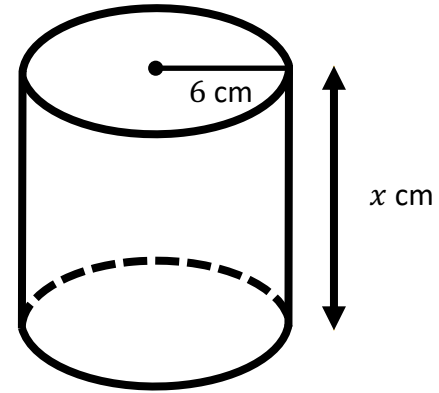
Worked Example

Find the height, x , given that the total surface area of the following cylinder is 245.0 cm^2 . Give your answer to 1 decimal place.



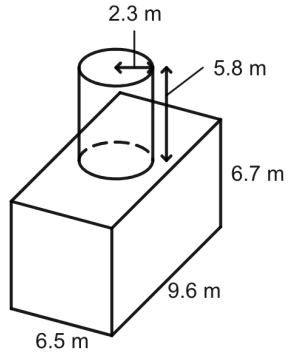
Your Turn

Find the height, x , given that the total surface area of the following cylinder is 980.2 cm^2 . Give your answer to 1 decimal place.



Worked Example

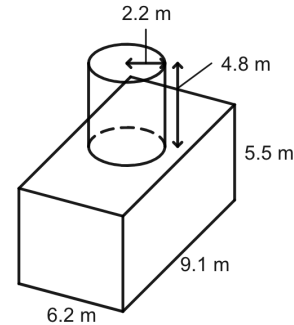
The diagram shows a shape made from a solid cylinder attached to a solid cuboid. The cuboid has sides of length 6.5, 9.6 and 6.7 m. The cylinder has a radius of 2.3 m and a height of 5.8 m.



Calculate the total surface area of the solid shape.
Give your answer correct to 3 significant figures.

Your Turn

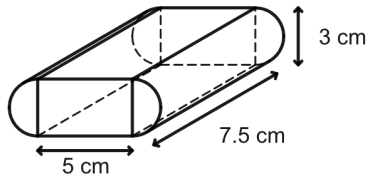
The diagram shows a shape made from a solid cylinder attached to a solid cuboid. The cuboid has sides of length 6.2, 9.1 and 5.5 m. The cylinder has a radius of 2.2 m and a height of 4.8 m.



Calculate the total surface area of the solid shape.
Give your answer correct to 3 significant figures.

Worked Example

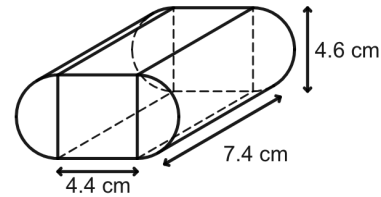
A cuboid of width 5 cm, length 7.5 cm and height 3 cm is joined to two semi-cylinders on its sides. The object created is shown below.



Find the surface area of the composite object.
Give your answer correct to 1 decimal place.

Your Turn

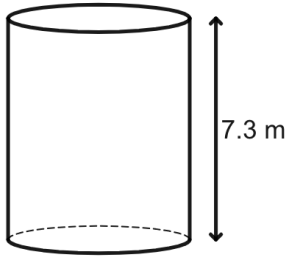
A cuboid of width 4.4 cm, length 7.4 cm and height 4.6 cm is joined to two semi-cylinders on its sides. The object created is shown below.



Find the surface area of the composite object.
Give your answer correct to 1 decimal place.

Worked Example

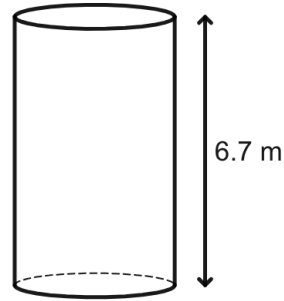
The diagram shows a solid cylinder with height 7.3 m.



The volume of the cylinder is $65.7\pi \text{ m}^3$.
Calculate the total surface area of the cylinder.
Give your answer correct to 1 decimal place.

Your Turn

The diagram shows a solid cylinder with height 6.7 m.



The volume of the cylinder is $26.8\pi \text{ m}^3$.
Calculate the total surface area of the cylinder.
Give your answer correct to 1 decimal place.

Fill in the Gaps

Radius	Height	Volume in terms of π	Volume to 3 s.f.	Curved Surface Area in terms of π	Total Surface Area in terms of π	Total Surface Area to 3 s.f.
5 cm	10 cm	$250\pi \text{ cm}^3$		$100\pi \text{ cm}^2$	$150\pi \text{ cm}^2$	
7 cm	15 cm			$210\pi \text{ cm}^2$		
16 mm	20 mm					
0.6 m	2.4 m					
10 cm		$500\pi \text{ cm}^3$				
	12 cm			$192\pi \text{ cm}^2$		
1.5 m					$\frac{39}{2}\pi \text{ m}^2$	
	20 mm				$312\pi \text{ mm}^2$	

Extra Notes

5 Area and Volume Unit Conversions

Worked Example

Convert:



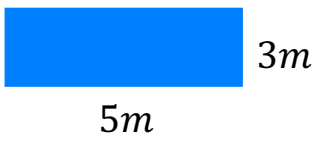
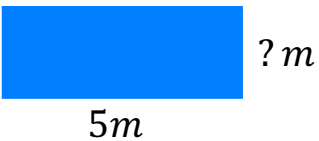
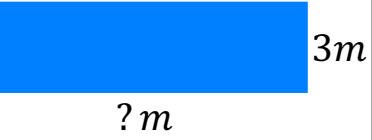
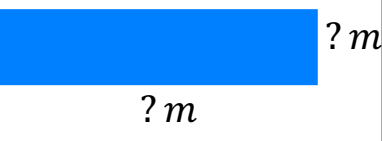
- a) 7 cm^2 to mm^2
- b) 2500 cm^2 to m^2

Your Turn

Convert:

- a) 7 km^2 to m^2
- b) 2500 mm^2 to cm^2

Fill in the Gaps

Shape	Area in m^2	Area in cm^2	Area in mm^2
			
			
			
		200 000 cm^2	
			21 000 000 mm^2
	22 m^2		

Worked Example

Convert:

- a) 7 cm^3 to mm^3
- b) 5 mm^3 to cm^3

Your Turn

Convert:

- a) 7 m^3 to cm^3
- b) 5 cm^3 to m^3

Worked Example

Convert:

- a) 241 litres to cm^3
- b) 83400 cm^3 to litres

Your Turn

Convert:

- a) 4500 litres to cm^3
- b) 813 000 cm^3 to litres

Fill in the Gaps

Area		
mm^2	cm^2	m^2
	10000	
		2
500000		
		0.07
	92000	
13000000		
	62	
		7.81
42900		
		0.363

Volume			
mm^3	cm^3	m^3	litres
	1000		1
7000000			
			20
		0.6	
3400000			
	28000		
		1.7	
			0.45
	379000		
8520000			

Extra Notes

6 Compound Measures

Worked Example

- a) Convert 3.1 m/s to km/h.
Give your answer correct to 1 decimal place.
- b) Convert 84 km/h to m/s.
Give your answer correct to 1 decimal place.

Your Turn

- a) Convert 2.9 m/s to km/h.
Give your answer correct to 1 decimal place.
- b) Convert 51 km/h to m/s.
Give your answer correct to 1 decimal place.

Speed

$$\text{Speed} = \frac{\text{Distance}}{\text{Time}}$$

$$s = \frac{d}{t}$$

Worked Example

A car travels 50 miles in 2 hours. What speed does it travel at?

A car travels at 50mph (miles per hour) for 2 hours. How far does it travel?

A car travels 50 miles at 25mph (miles per hour). How long does it take?

Your Turn

A car travels 60 miles in 2 hours. What speed does it travel at?

A car travels at 60mph (miles per hour) for 2 hours. How far does it travel?

A car travels 30 miles at 60mph (miles per hour). How long does it take?
















Fill in the Gaps

Distance	Time	Speed	Units of Speed
120 km	4 hours		km/h
55 m	5 seconds		m/s
8000 m	2 hours		km/h
450 km	180 minutes		km/h
	20 seconds	10	m/s
	3 hours	25	km/h
900 cm	3 seconds		m/s
132 m		12	m/s
640 km		80	km/h
	120 minutes	65	km/h
30 m	1 minute		m/s
1750 cm		2.5	m/s
	150 minutes	88	km/h
	1.5 minutes	8.5	m/s
20000 m	30 minutes	40	









Fill in the Gaps

Distance	Time	Speed	Units of Speed
135 km	$4\frac{1}{2}$ hours		km/h
57.2m	5.2 seconds		m/s
8000 m	2 hours		km/h
450 km	180 minutes		km/h
	20 seconds	10.5	m/s
	3 hours	27.5	km/h
900 cm	3 seconds		m/s
170.4 m		12	m/s
348.5 km		82	km/h
	150 minutes	65	km/h
30 m	1 minute		m/s
1750 cm		2.5	m/s
	2 hours 20 minutes	87	km/h
	1 minute 18 seconds	8.5	m/s
358.4 miles	192 minutes		mph
20000 m	30 minutes	40	

Fill in the Gaps

Speed Distance Time	Distance	Time	<i>not simplified</i> \Rightarrow <i>denominator of 1</i>		Speed	Compound Units
			$\frac{\text{distance}}{\text{time}}$	$\frac{\text{distance}}{\text{time}}$		
	60 kilometres	2 hours	$\frac{60}{2}$	$= \frac{\quad}{1}$		km/h
	80 kilometres	4	$\frac{\quad}{4}$	$= \frac{\quad}{1}$		
	90 miles	6 hours		$=$		mph
		12 hours	$\frac{60}{\quad}$	$= \frac{\quad}{1}$		kmph
	50	30 minutes	$\frac{\quad}{0.5}$	$= \frac{\quad}{1}$		km/h
	7 miles	30 minutes		$= \frac{\quad}{1}$		mph
	20 kilometres	15 minutes		$= \frac{\quad}{1}$		kmph
	60		$\frac{\quad}{1.5}$	$=$		km/h
	75	2 hours 30 minutes		$= \frac{\quad}{1}$		kph
	36 miles	4 hours 30 minutes		$= \frac{\quad}{1}$		
		45 minutes	$\frac{9}{\quad}$	$=$		km/h
			$\frac{36}{0.75}$	$=$		kmph
	12 miles	minutes	$\frac{\quad}{0.1}$	$= \frac{\quad}{1}$		mph
	32	24 minutes		$= \frac{\quad}{1}$		km/h
	392	2 hours 48 minutes		$=$		kph

Fill in the Gaps

Sporting Speeds					
Sport		Distance	Time	Speed (km/h)	Speed (m/s)
Adam Peaty Swimming		100 m	56.88 seconds	6.33 km/h	
Battaash Horse Racing		1 km	50.9 seconds		
Mark Cavendish Cycling		200 m			21.7 m/s
Rafael Nadal's Tennis Ball			0.47 seconds		50 m/s
Usain Bolt 100 m Sprint		100 m	9.58 seconds		
Max Verstappen Formula 1			1 minute 14 seconds	157.8 km/h	
Lionel Messi's Football		23.4 m		130 km/h	
Mo Farah Marathon		42.24 km	2 hours 10 min 28 seconds		

Worked Example

John travels 94 miles at a speed of 47 mph.
John then travels 115 miles at a speed of 46 mph.
Work out John's overall speed for the entire journey.
Give your answer correct to 1 decimal place.

Your Turn

Fred travels 105 km at a speed of 35 km/h.
Fred then travels 126 km at a speed of 60 km/h.
Work out Fred's overall speed for the entire journey.
Give your answer correct to 1 decimal place.

Density

$$\text{Density} = \frac{\text{Mass}}{\text{Volume}}$$

$$\rho = \frac{m}{V}$$

Worked Example

The mass of an object is 50 g . The volume is 10 cm^3 . What is the density of the object?

The density of an object is 10 g/cm^3 . The volume is 5 cm^3 . What is the mass?

The density of an object is 10 g/cm^3 . The mass is 50 g . What is the volume?

Your Turn

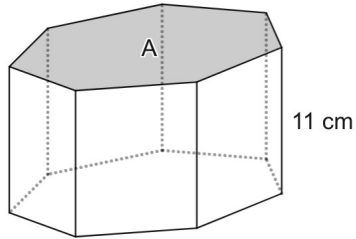
The mass of an object is 100 g . The volume is 25 cm^3 . What is the density of the object?

The density of an object is 10 g/cm^3 . The volume is 25 cm^3 . What is the mass?

The density of an object is 10 g/cm^3 . The mass is 25 g . What is the volume?

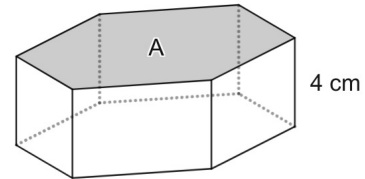
Worked Example

A heptagonal metal prism with base area A of 274 cm^2 and length 11 cm has a density of 12.51 g/cm^3 as shown below. Find the mass in g to the nearest gram.



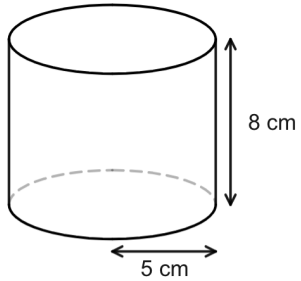
Your Turn

A hexagonal wooden prism with base area A of 94 cm^2 and length 4 cm has a mass of 233 g as shown below. Find the density in g/cm^3 to 2 decimal places.



Worked Example

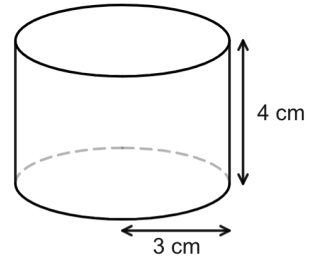
A wooden cylinder with radius 5 cm and height 8 cm has a density of 0.36 g/cm^3 .



Find the mass of the wooden cylinder.
Give your answer correct to the nearest whole number.

Your Turn

A metal cylinder with radius 3 cm and height 4 cm has a density of 2.55 g/cm^3 .



Find the mass of the metal cylinder.
Give your answer correct to the nearest whole number.

Worked Example

Liquid *A* has a density of 1.15 g/cm^3 .
Liquid *B* has a density of 1.23 g/cm^3 .
 76 cm^3 of liquid *A* and 116 cm^3 of liquid *B* are mixed to make liquid *C*.
Work out the density of liquid *C*.
Give your answer correct to 2 decimal places.

Your Turn

Liquid *A* has a density of 1.11 g/cm^3 .
Liquid *B* has a density of 1.3 g/cm^3 .
 41 cm^3 of liquid *A* and 143 cm^3 of liquid *B* are mixed to make liquid *C*.
Work out the density of liquid *C*.
Give your answer correct to 2 decimal places.

Worked Example

Metal *A* has a density of 9.57 g/cm^3 .
Metal *B* has a density of 14.18 g/cm^3 .
117 g of metal *A* and 247 g of metal *B* are mixed to make an alloy.
Calculate the density of the alloy.
Give your answer correct to 2 decimal places.

Your Turn

Metal *A* has a density of 6.47 g/cm^3 .
Metal *B* has a density of 11.94 g/cm^3 .
136 g of metal *A* and 234 g of metal *B* are mixed to make an alloy.
Calculate the density of the alloy.
Give your answer correct to 2 decimal places.

Pressure

$$\text{Pressure} = \frac{\text{Force}}{\text{Area}}$$

$$P = \frac{F}{A}$$

Worked Example

The force exerted by an object on a surface is $50N$. The surface area in contact with the object is $10cm^2$. What is the pressure exerted by the object?

The pressure exerted on a surface by an object is $50N/cm^2$. The surface area in contact with the object is $10cm^2$. What is the force exerted?

The pressure exerted on a surface by an object is $50N/cm^2$. The force exerted on the surface is $10N$. What is the surface area in contact with the object?

Your Turn

The force exerted by an object on a surface is $100N$. The surface area in contact with the object is $25cm^2$. What is the pressure exerted by the object?

The pressure exerted on a surface by an object is $100N/cm^2$. The surface area in contact with the object is $25cm^2$. What is the force exerted?

The pressure exerted on a surface by an object is $100N/cm^2$. The force exerted on the surface is $25N$. What is the surface area in contact with the object?

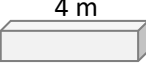



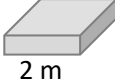
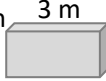
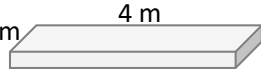

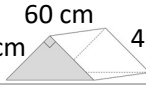

Fill in the Gaps

Cuboid Compound Measures

The objects are resting on Earth (Gravitational acceleration = 10 m/s^2).

Answer to 3 sf.



	Object	Mass	Volume	Density	Force (Weight)	Contact Area	Pressure
1	square-based 1 m 	400 kg					
2	cube 	1,000 kg	8 m^3				
3	cube 50 cm 	3 kg					
4	square-based  3 m		12 m^3		500 N		
5	0.5 m  2 m	20 kg				6 m^2	
6	0.5 m  3 m 2 m	20 kg					
7	80 cm  4 m 20 cm				1,500 N		
8	isosceles 60 cm  80 cm	4 kg					
9	 60 cm 50 cm 40 cm	3.5 kg					
10	 50 cm				8 N		40 N/m^2

Fill in the Gaps

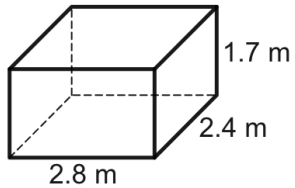
Mass	Volume	Density	
500 g	200 cm ³		g/cm ³
6.2 kg	0.004 m ³		kg/m ³
1.6 kg		2000	kg/m ³
	2.25 cm ³	1.6	g/cm ³
	0.2 m ³	750	kg/m ³
264 g		0.88	g/cm ³
0.24 kg	400 cm ³		g/cm ³
56000 g		800	kg/m ³
	400000 cm ³	2180	kg/m ³
8000 g	0.0025 m ³		g/cm ³
13.8 kg	0.015 m ³		g/cm ³

Force	Area	Pressure	
7 N	0.4 m ²		N/m ²
60 N	2.4 m ²		N/m ²
	0.06 m ²	70	N/m ²
56 N		32	N/m ²
	0.001 m ²	3800	N/m ²
99 N		450	N/m ²
85 N	20000 cm ²		N/m ²
	80000 cm ²	12.75	N/m ²
174 N	725 cm ²		N/m ²
135 N	5000000 mm ²		N/m ²
	3600 mm ²	1850	N/m ²

Other Compound Measures

Worked Example

An empty tank is in the shape of a cuboid with dimensions 2.8 m by 2.4 m by 1.7 m as shown.

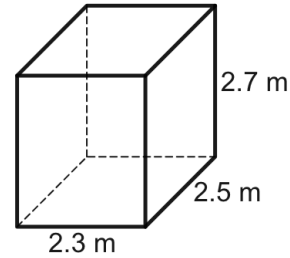


Water flows into the tank at a rate of 42 litres per minute.
Find the time it takes to fill the tank.

$$1 \text{ m}^3 = 1000 \text{ litres}$$

Your Turn

An empty tank is in the shape of a cuboid with dimensions 2.3 m by 2.5 m by 2.7 m as shown.



Water flows into the tank at a rate of 9 litres per minute.
Find the time it takes to fill the tank.

$$1 \text{ m}^3 = 1000 \text{ litres}$$

Extra Notes